

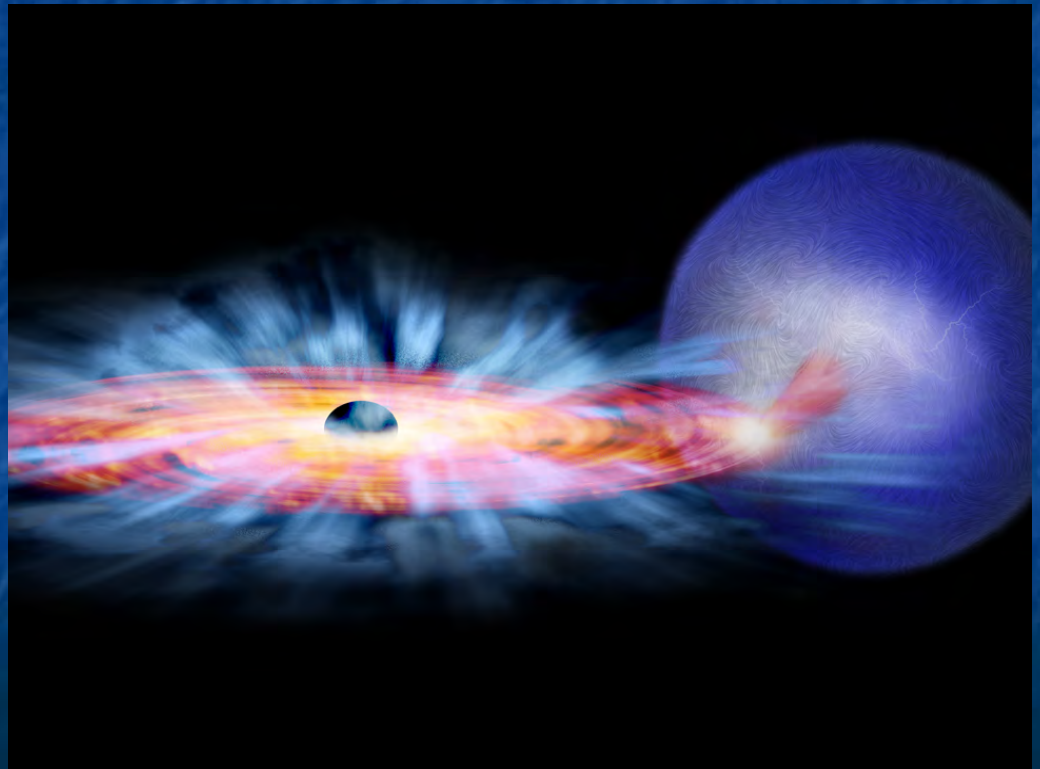
Why do black holes shine?

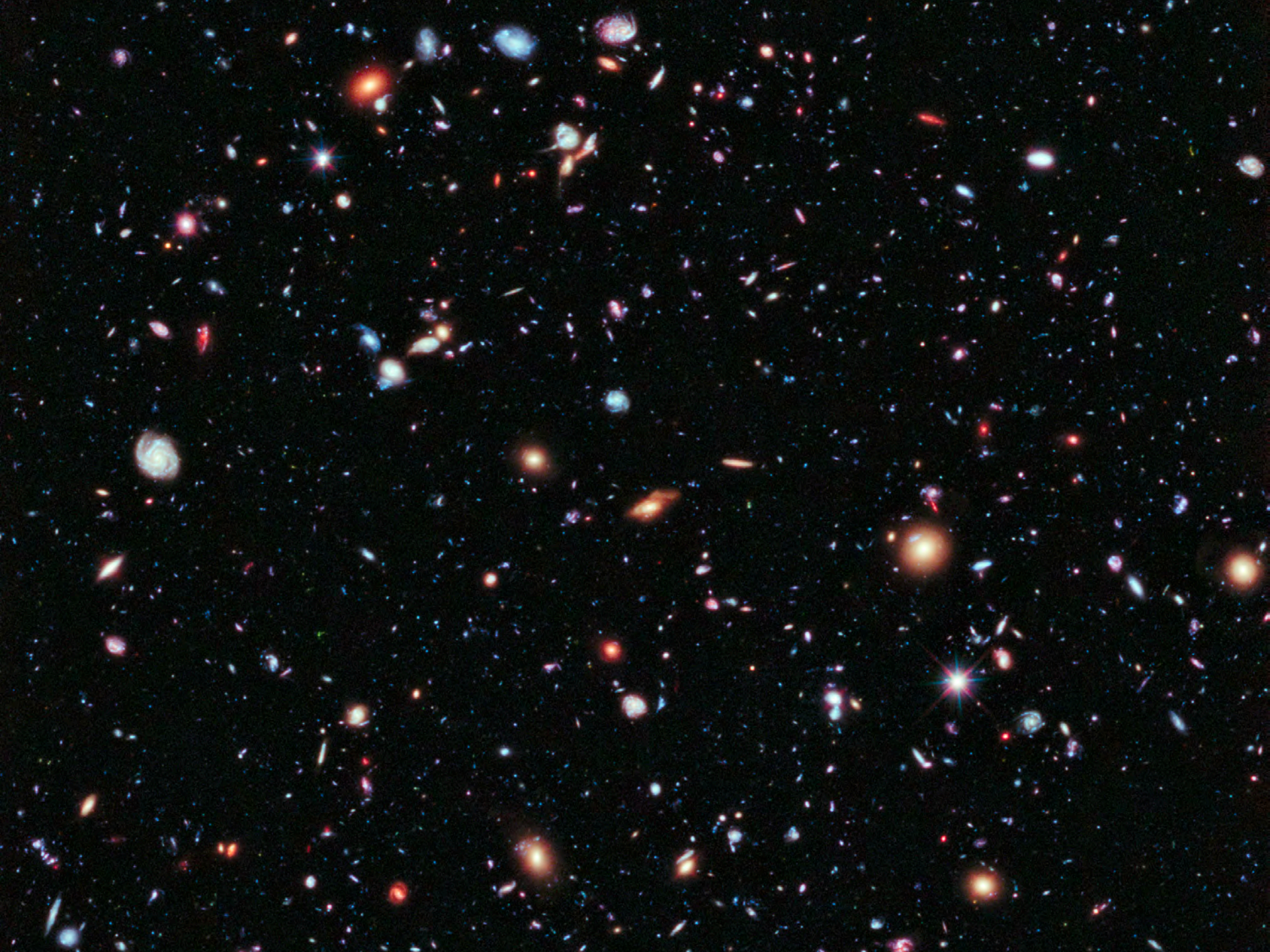
Chris Reynolds

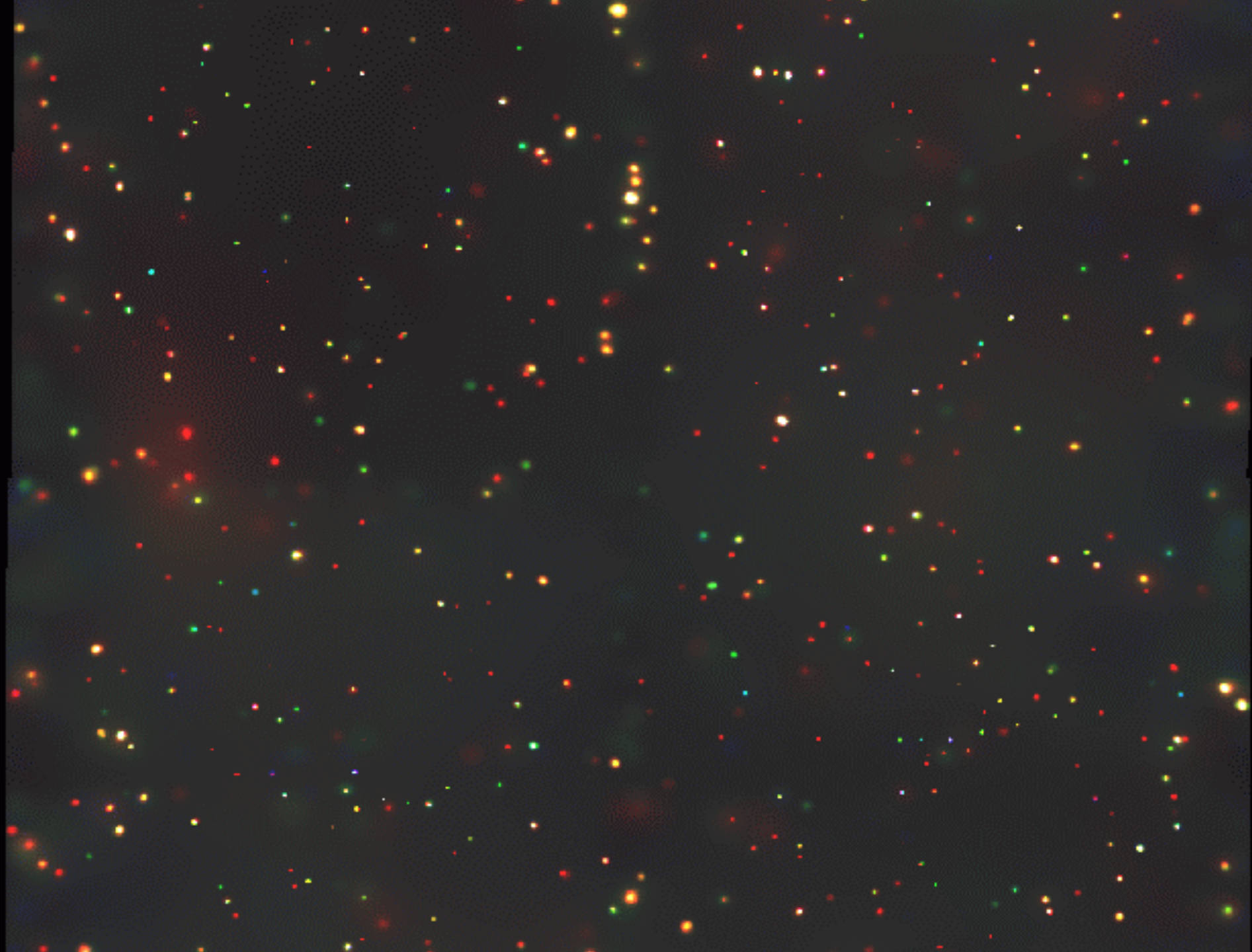
Department of Astronomy,

University of Maryland College Park

USA

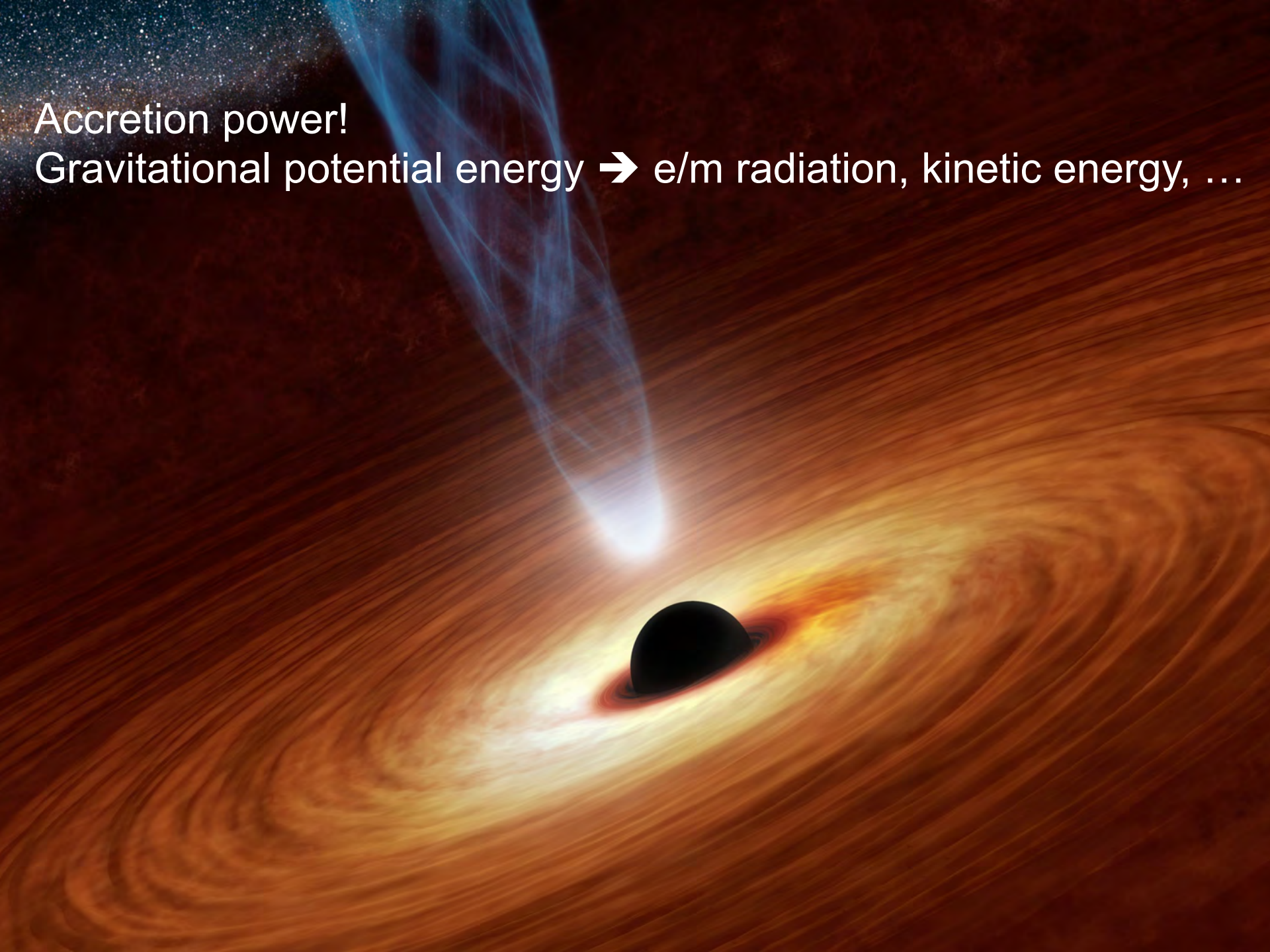






Accretion power!

Gravitational potential energy \rightarrow e/m radiation, kinetic energy, ...





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MASPG

5

Need to overcome conservation of angular momentum!



Example of a non-accreting disk!

$$\frac{GM}{R^2} = \frac{V^2}{R} \Rightarrow V = \sqrt{\frac{GM}{R}}$$

Angular momentum given by $J = mVR$

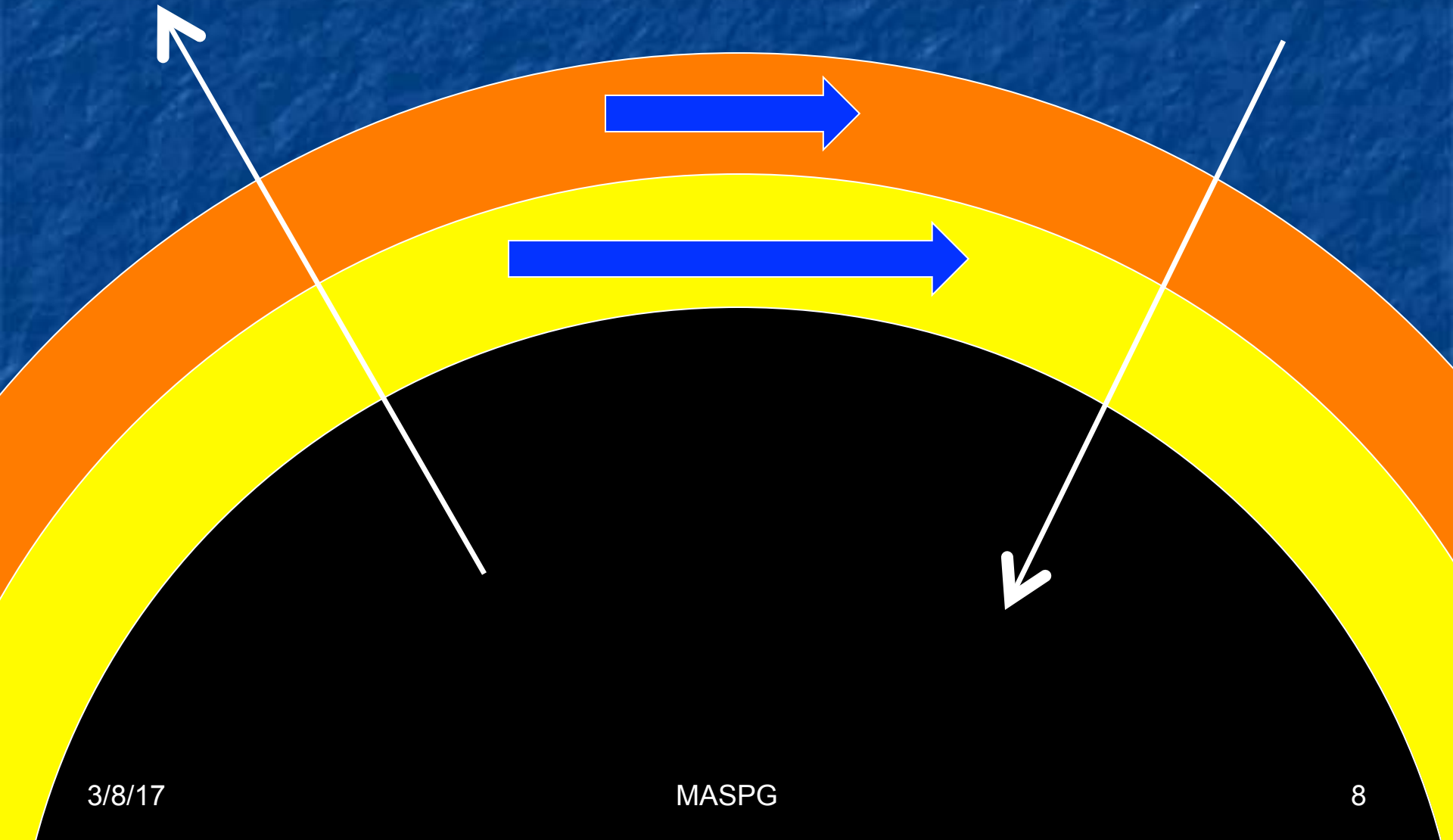
$$\therefore J = m \sqrt{\frac{GM}{R}} R = m \sqrt{GMR}$$

Matter must lose angular momentum to accrete!

$$Re = \frac{LV}{\nu} \sim 10^{14}$$

Ang Mtm

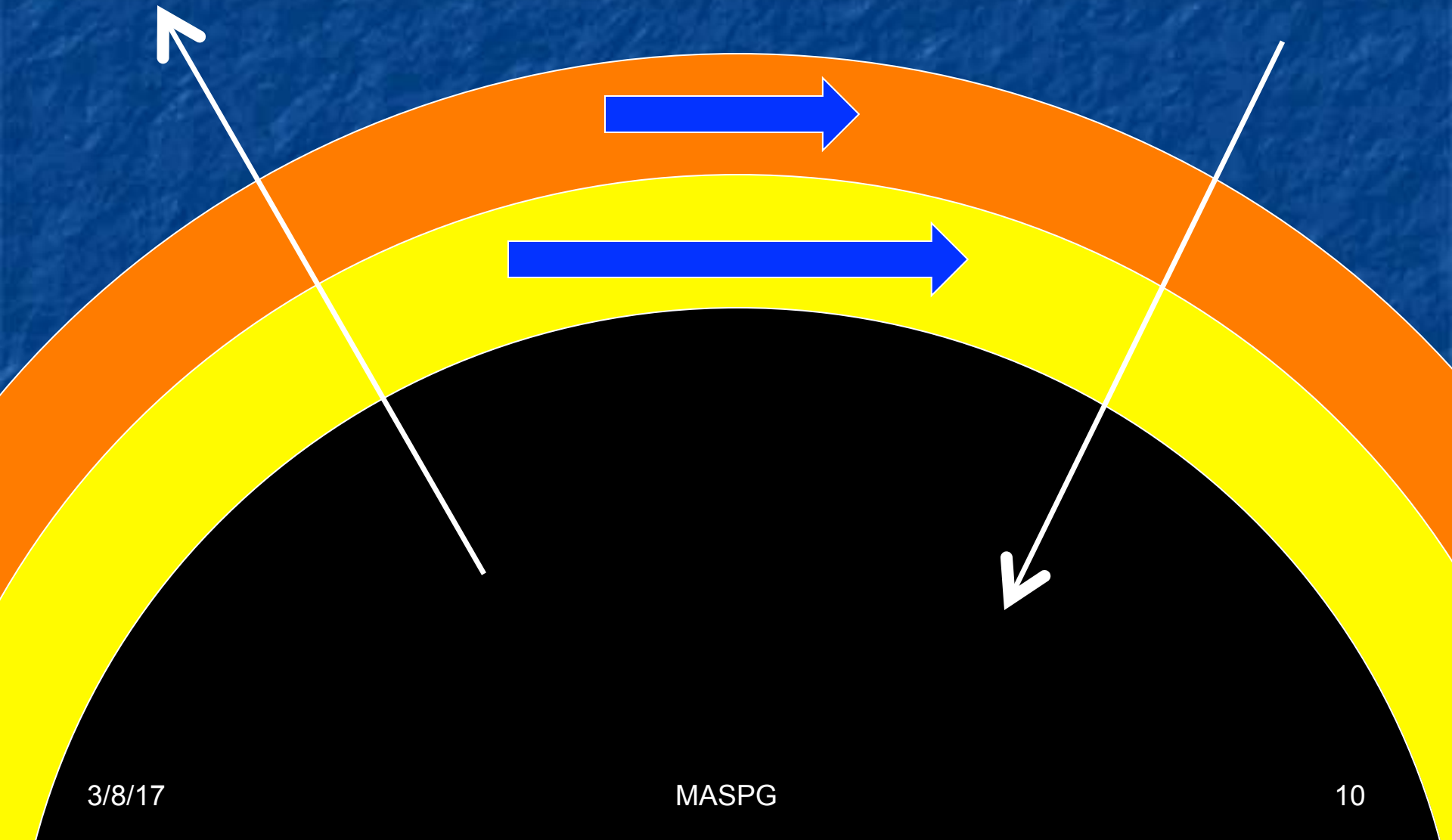
Mass





Ang Mtm

Mass

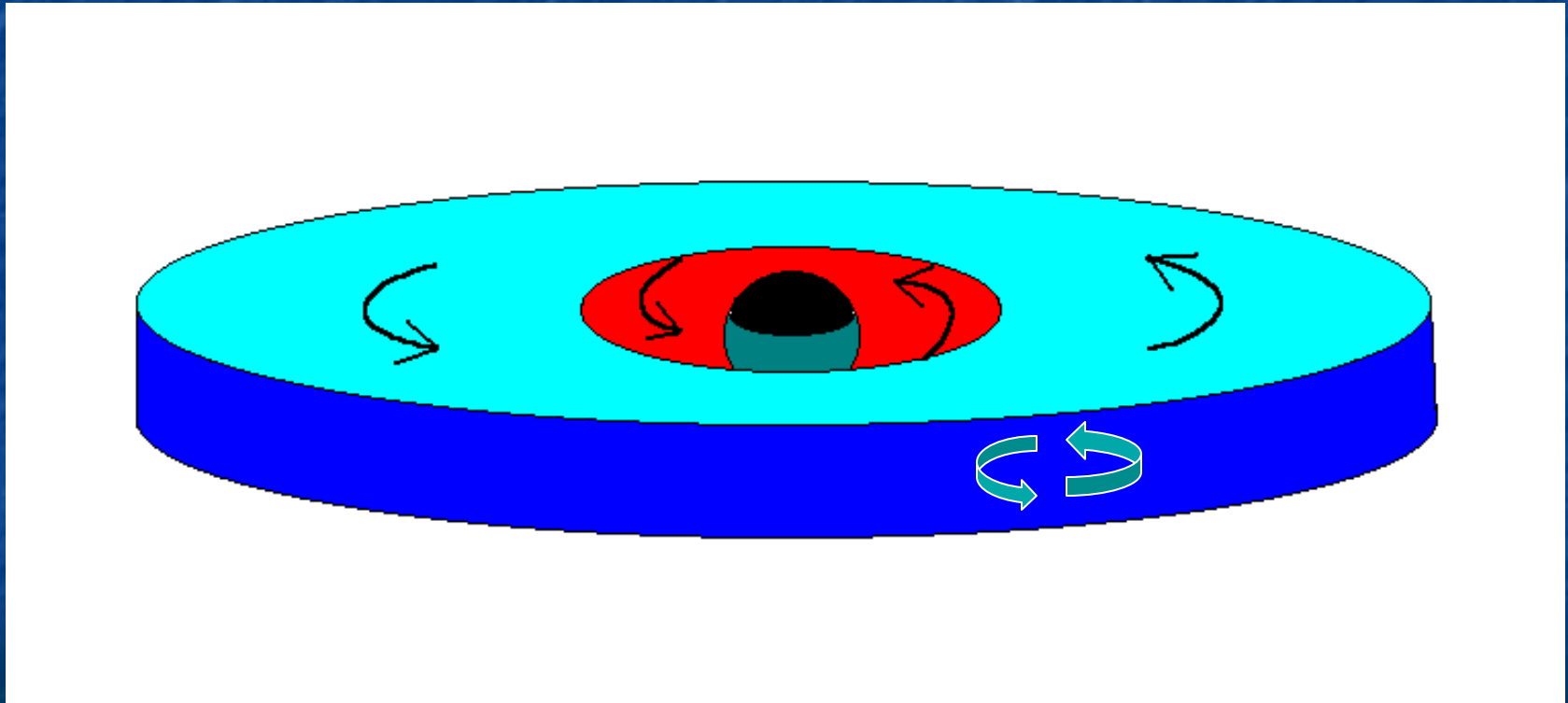


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MASPG

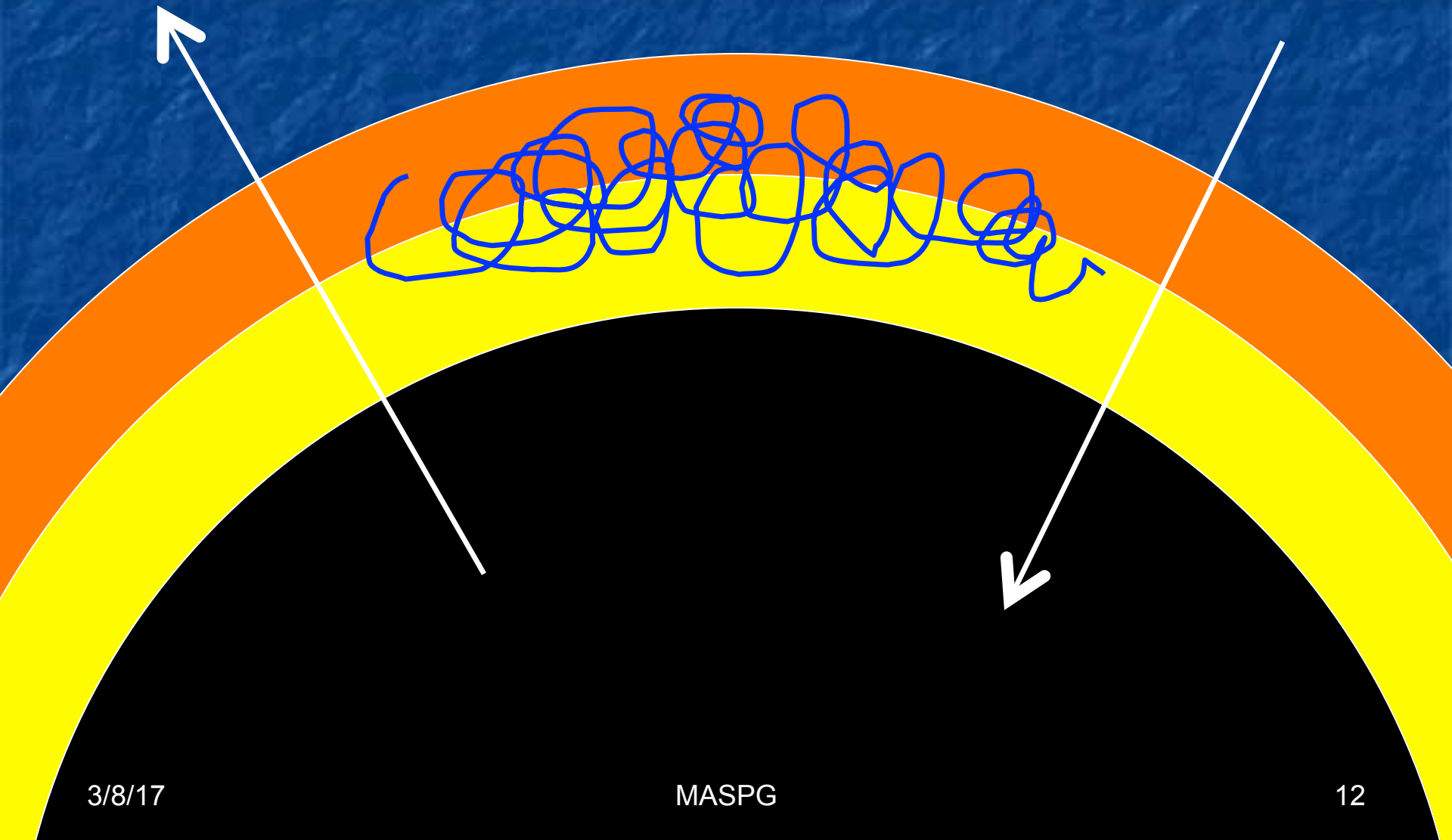
10

Shakura & Sunyaev (1973)... dimensional analysis
(kinematic) viscosity coefficient = $\alpha c_s h$



Ang Mtm

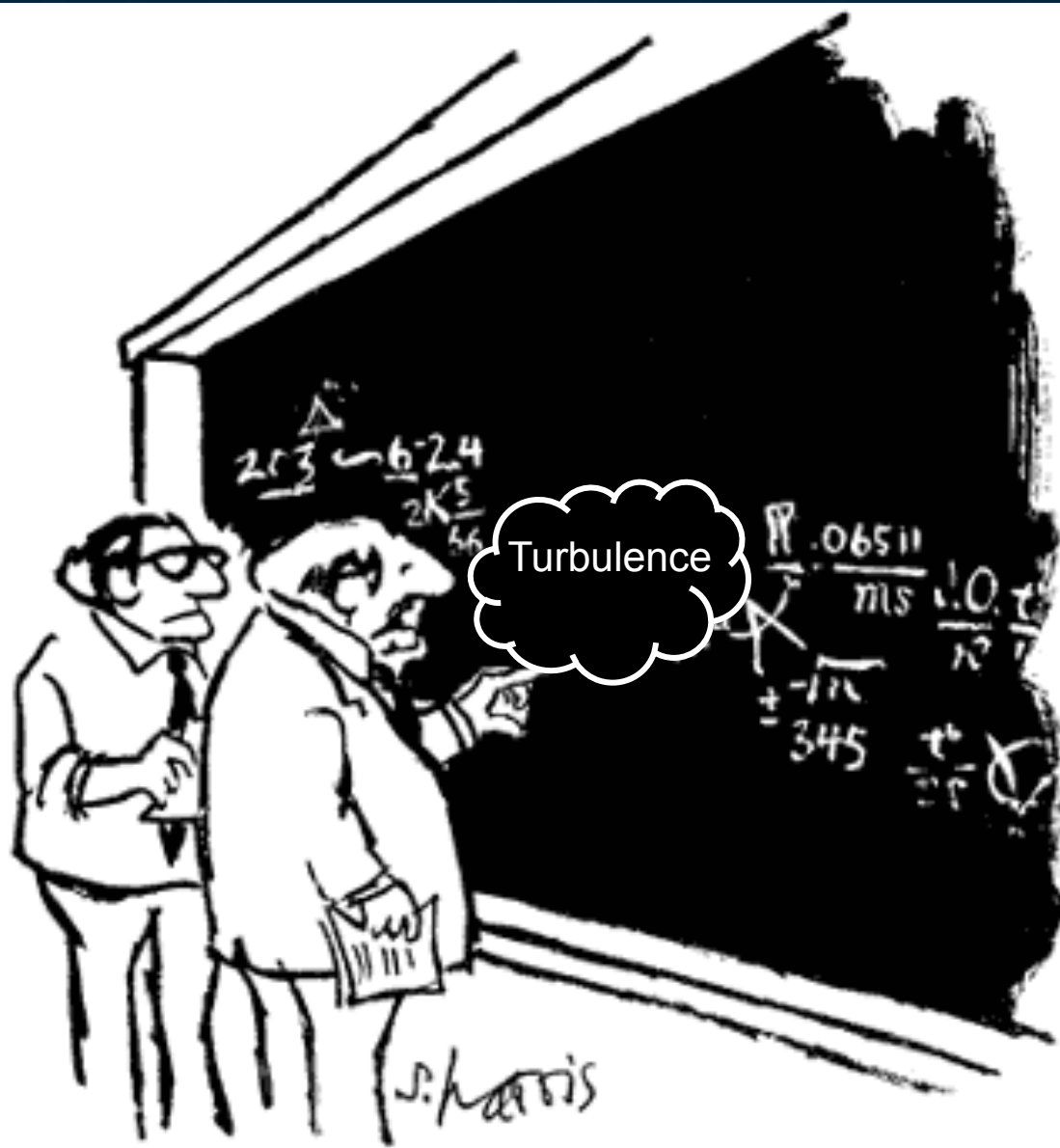
Mass



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MASPG

12

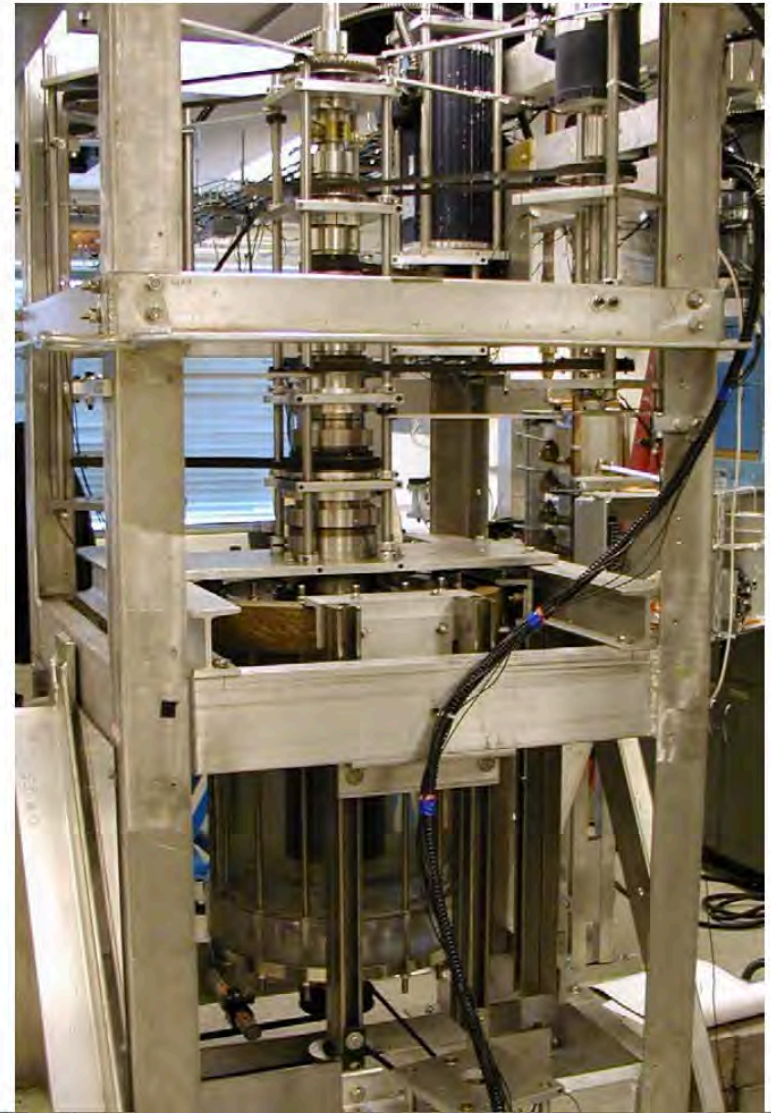
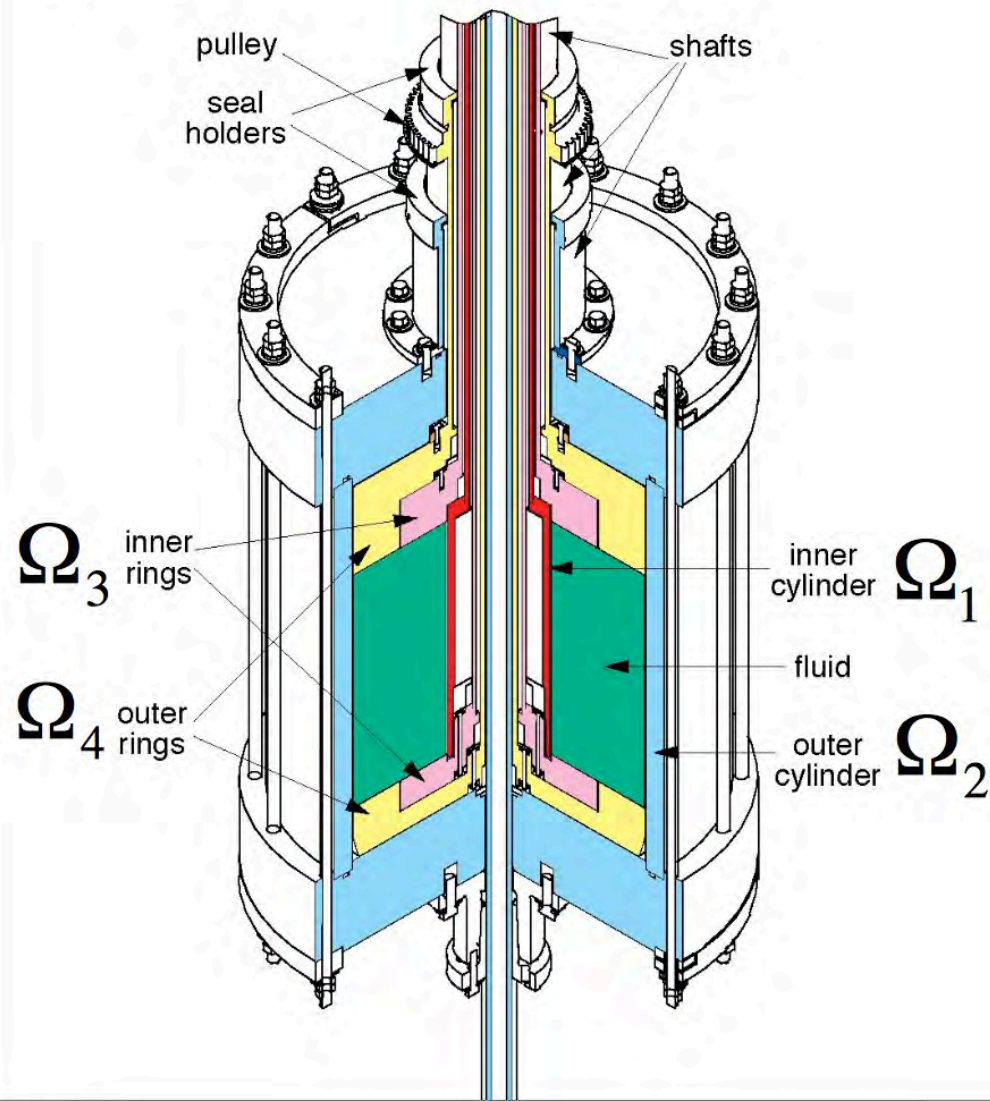


"I think you should be more explicit here in step two."

Ji, Burin, Schartman, Goodman (2006)

$$r_1=7.06\text{cm}, r_2=20.30\text{cm}, h=27.86\text{cm}$$

$$\eta=0.348, \Gamma=2.10, \text{Re}<2\times 10^6 \text{ (now } 2\times 10^7 \text{ in liquid gallium)}$$

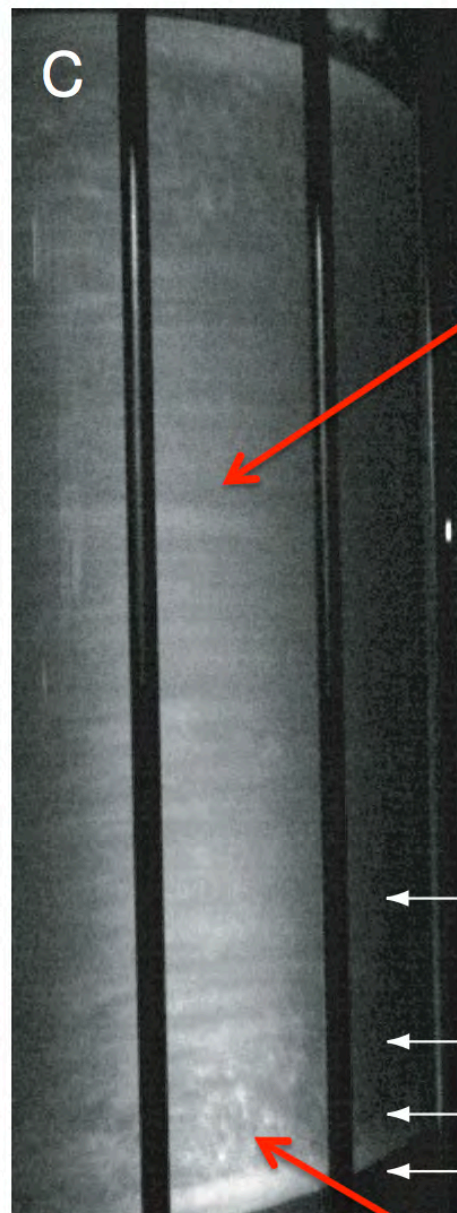




unstable



rings
deactivated



rings
activated

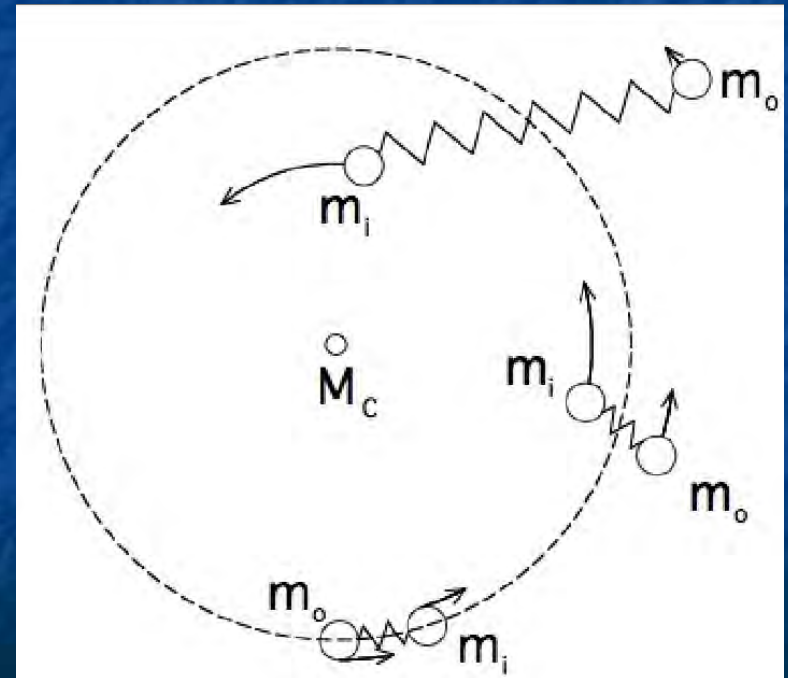
quiescent

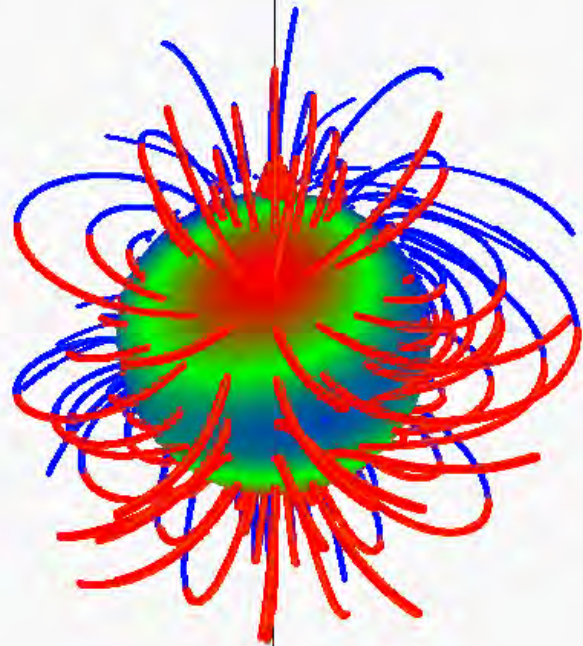
$r = 140\text{mm}$



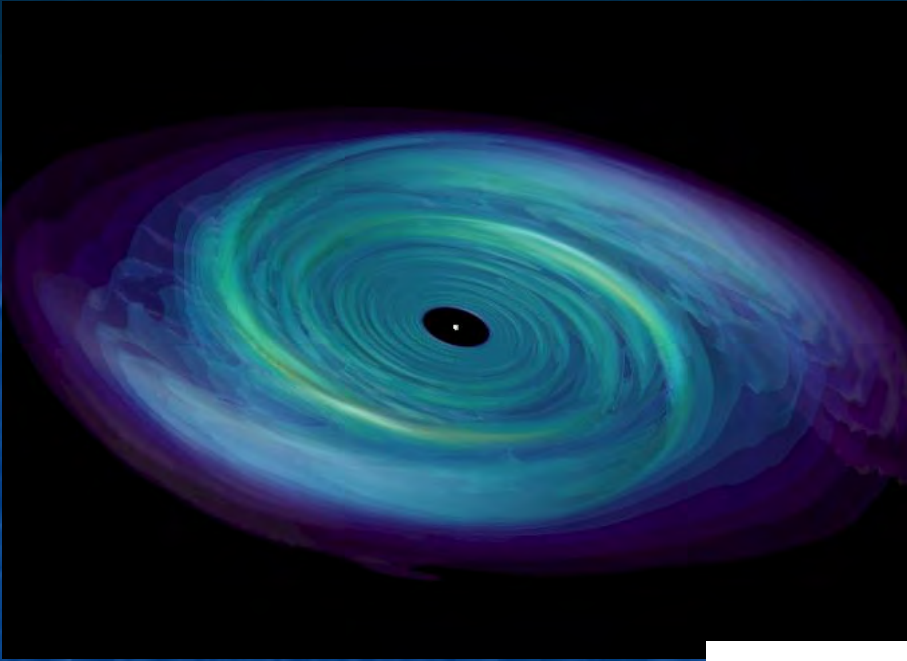
Driving of turbulence

- What drives/sustains the turbulence?
- Hydrodynamic accretion disks seem to be stable and hence not turbulent
- Situation different for magnetized accretion disks
 - Weak magnetic field makes flow unstable (magneto-rotational instability; Balbus & Hawley 1991)
 - Instability grows quickly (orbital timescale), eventually transitioning to turbulence
 - Correlations within the turbulence transport angular momentum





Slide courtesy of D.Lathrop (UMd)



$$\frac{\partial \rho}{\partial t} + \nabla \cdot [\rho \mathbf{v}] = 0, \quad (1)$$

$$\frac{\partial \rho \mathbf{v}}{\partial t} + \nabla \cdot [\rho \mathbf{v} \mathbf{v} - \mathbf{B} \mathbf{B} + \mathbf{P}^*] = 0, \quad (2)$$

$$\frac{\partial E}{\partial t} + \nabla \cdot [(E + P^*) \mathbf{v} - \mathbf{B}(\mathbf{B} \cdot \mathbf{v})] = 0, \quad (3)$$

$$\frac{\partial \mathbf{B}}{\partial t} - \nabla \times (\mathbf{v} \times \mathbf{B}) = 0, \quad (4)$$

where \mathbf{P}^* is a diagonal tensor with components $P^* = P + B^2/2$ (with P the gas pressure), E is the total energy density

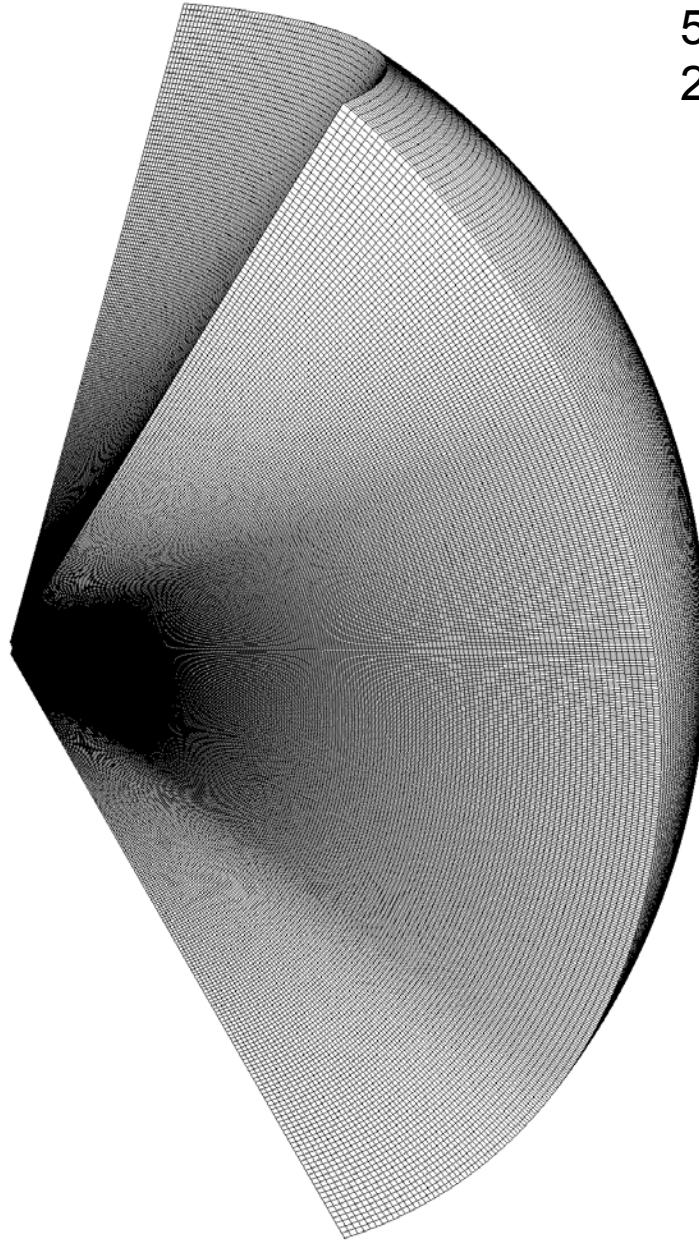
$$E = \frac{P}{\gamma - 1} + \frac{1}{2} \rho v^2 + \frac{B^2}{2}, \quad (5)$$



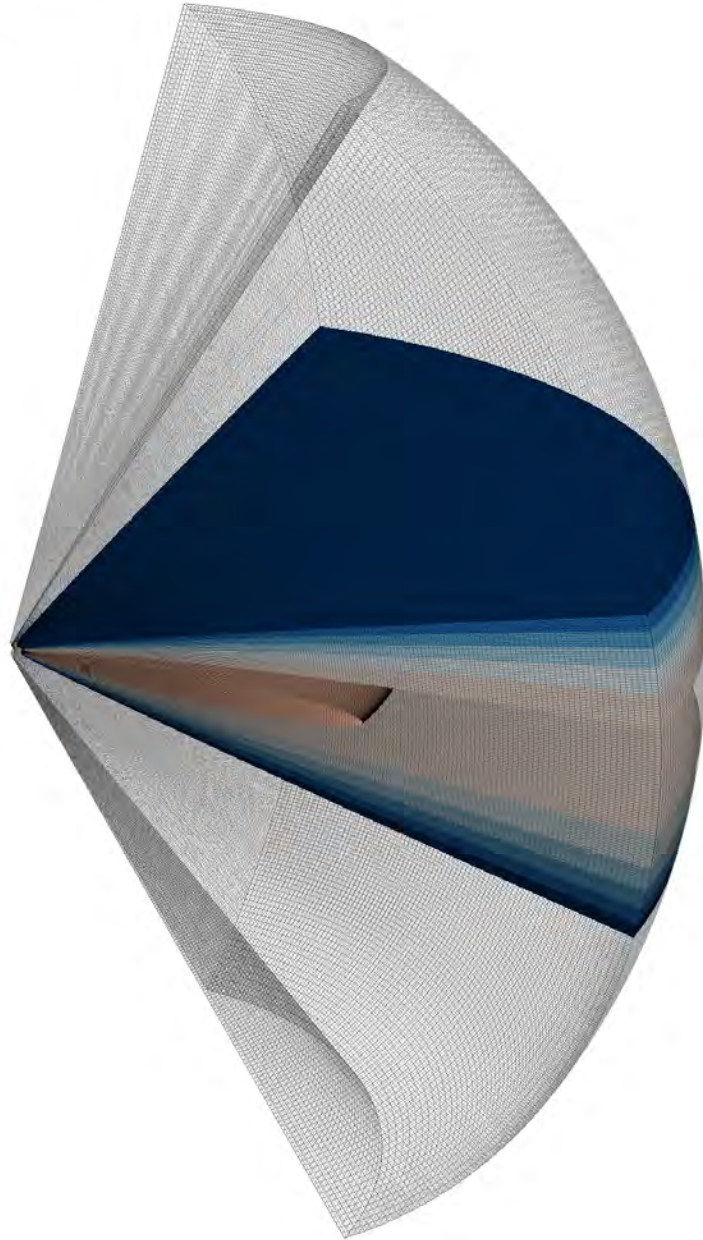
Stampede (Texas Advanced Computer Center)
6,400 Dell C8220 nodes (102,000 cores + 390,000 co-proc cores)
10 Pflops aggregate performance

DB: data.0000.vtk
Cycle: 0

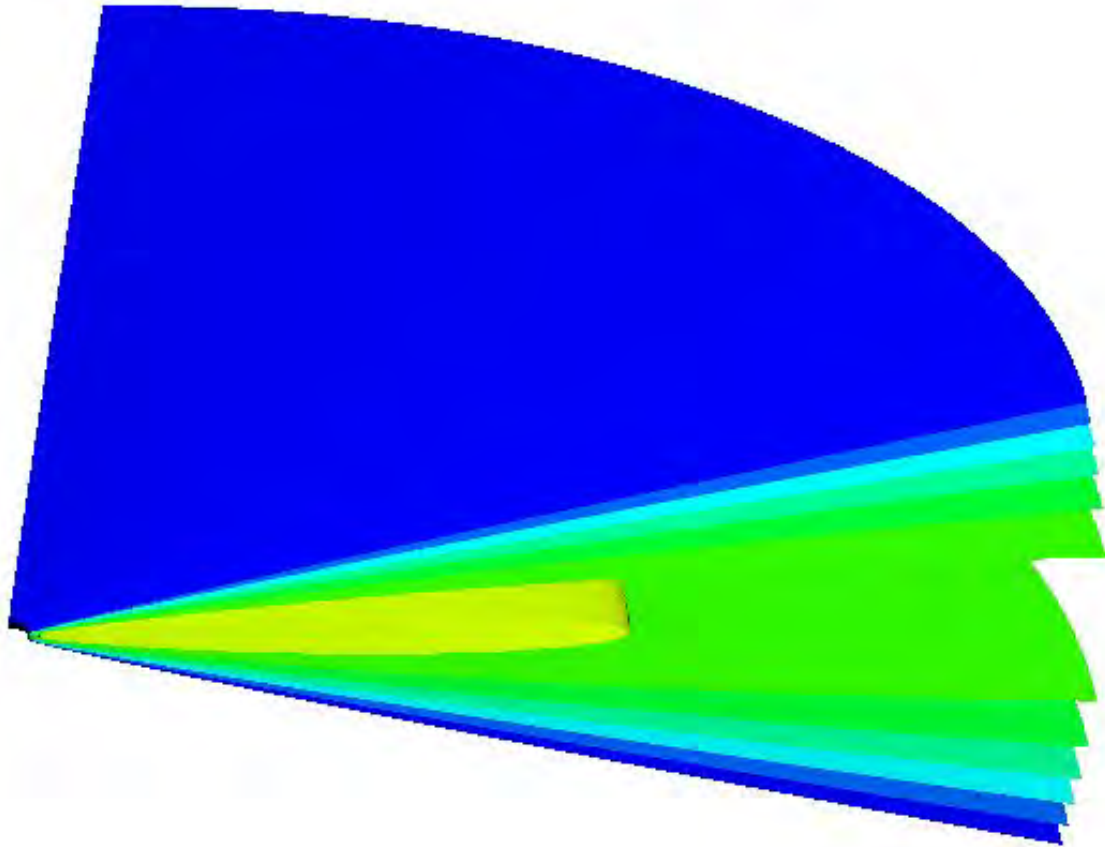
Use PLUTO code
Spherical polar grid
512 x 384 x 128 zones
200,000 cpu-hours



DB: data.0000.vtk
Cycle: 0

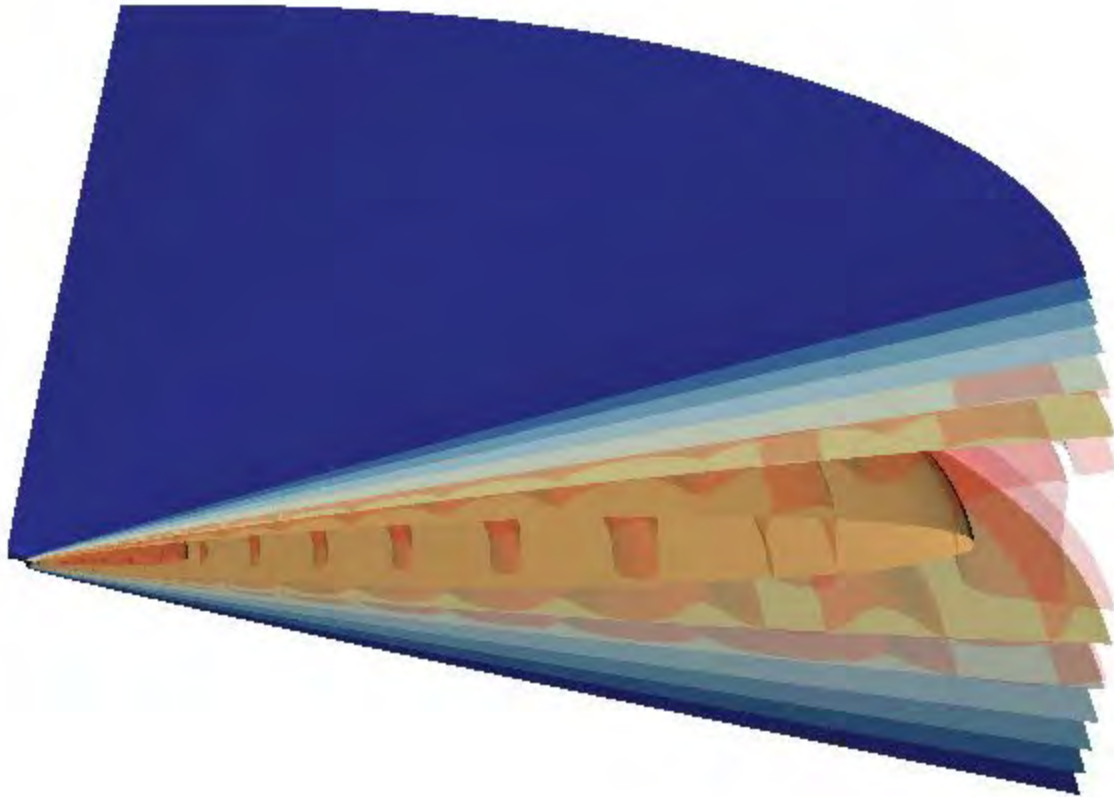


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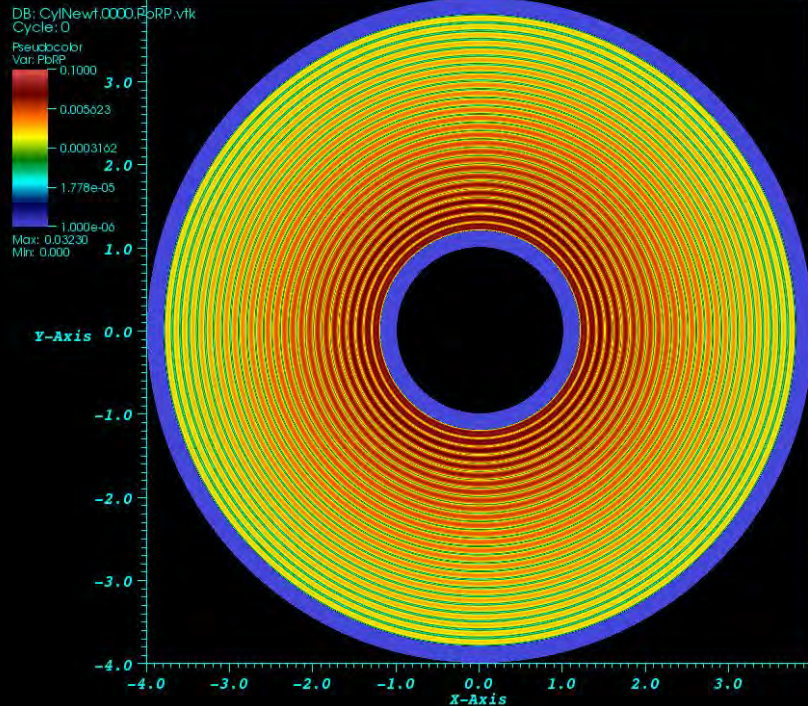


user: chris
Tue Feb 3 15:14:40 2015

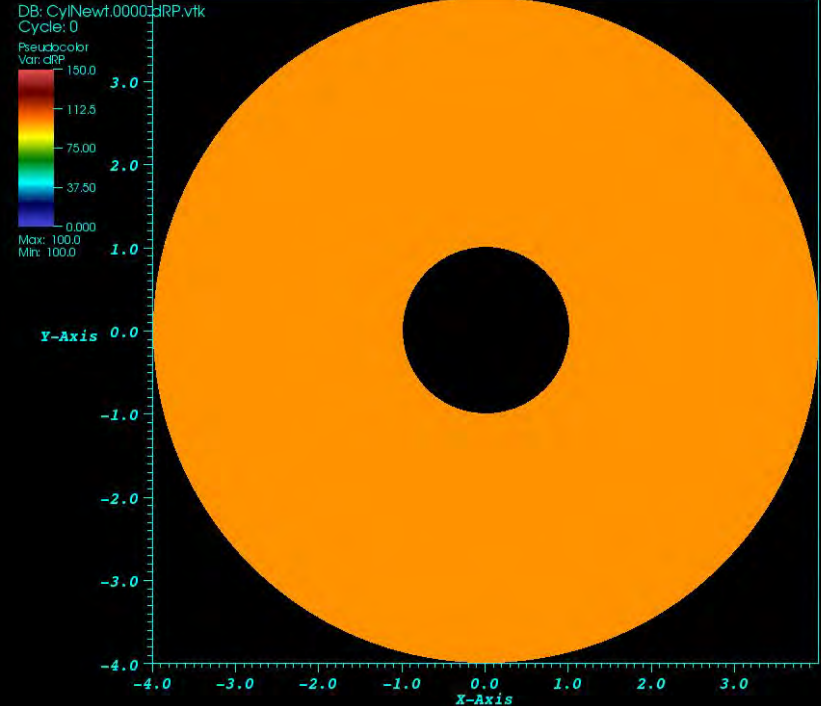
DB: data.0000.vtk
Cycle: 0



Magnetic Pressure (midplane)



Density (midplane)



High resolution run using ATHENA : $n_r \times n_z \times n_\phi = 480 \times 128 \times 2048$

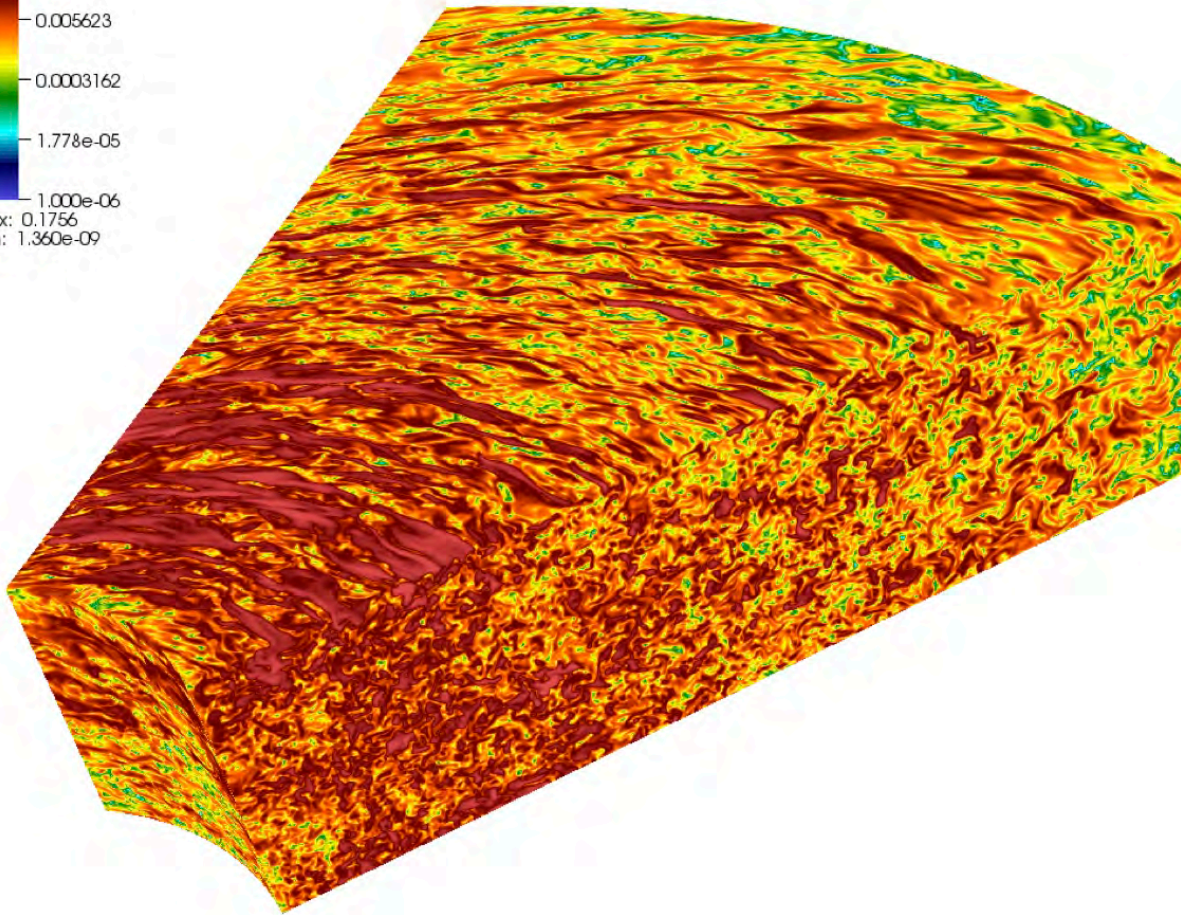
32 zones/h at the fiducial radius

Use of orbital advection speeds up calculation by factor of 20

120,000 CPU hours on TeraGrid/Ranger

Sorathia, Reynolds, Stone, Beckwith (2012)

Pseudocolor
Var: Pb
0.1000
0.005623
0.0003162
1.778e-05
1.000e-06
Max: 0.1756
Min: 1.360e-09



$\ln E(k)$

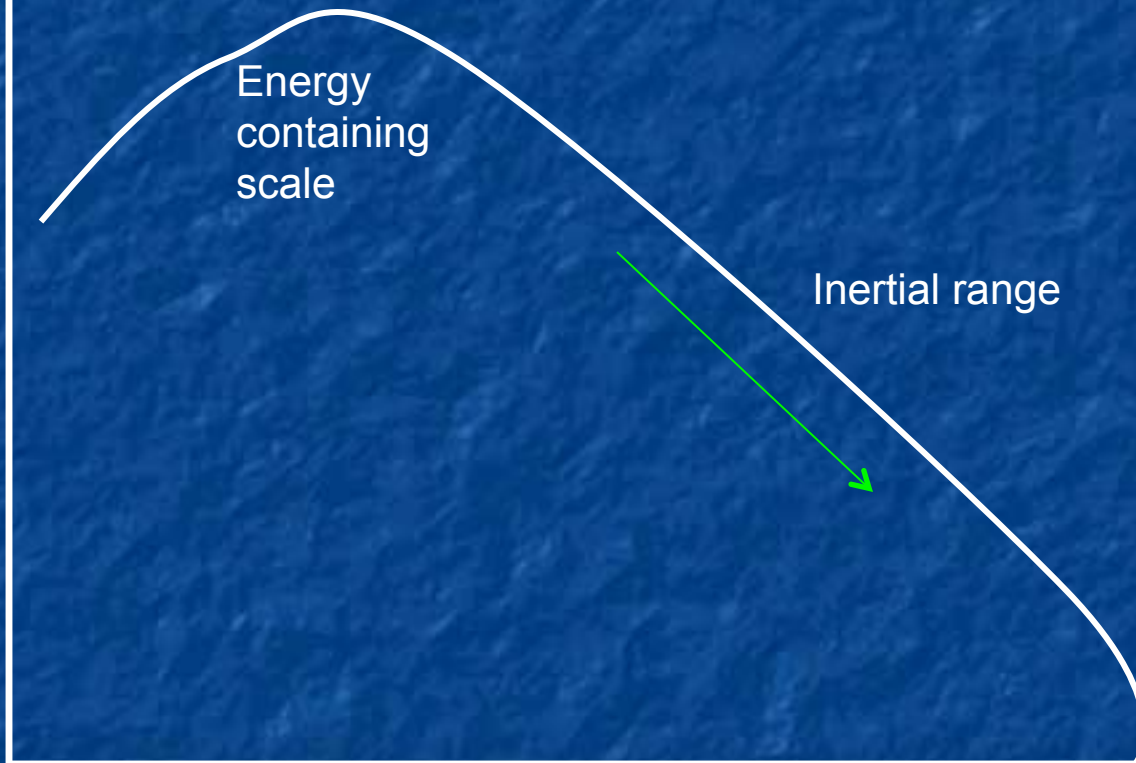


$$E = \sum E(k) e^{i k \cdot x}$$

Energy
containing
scale

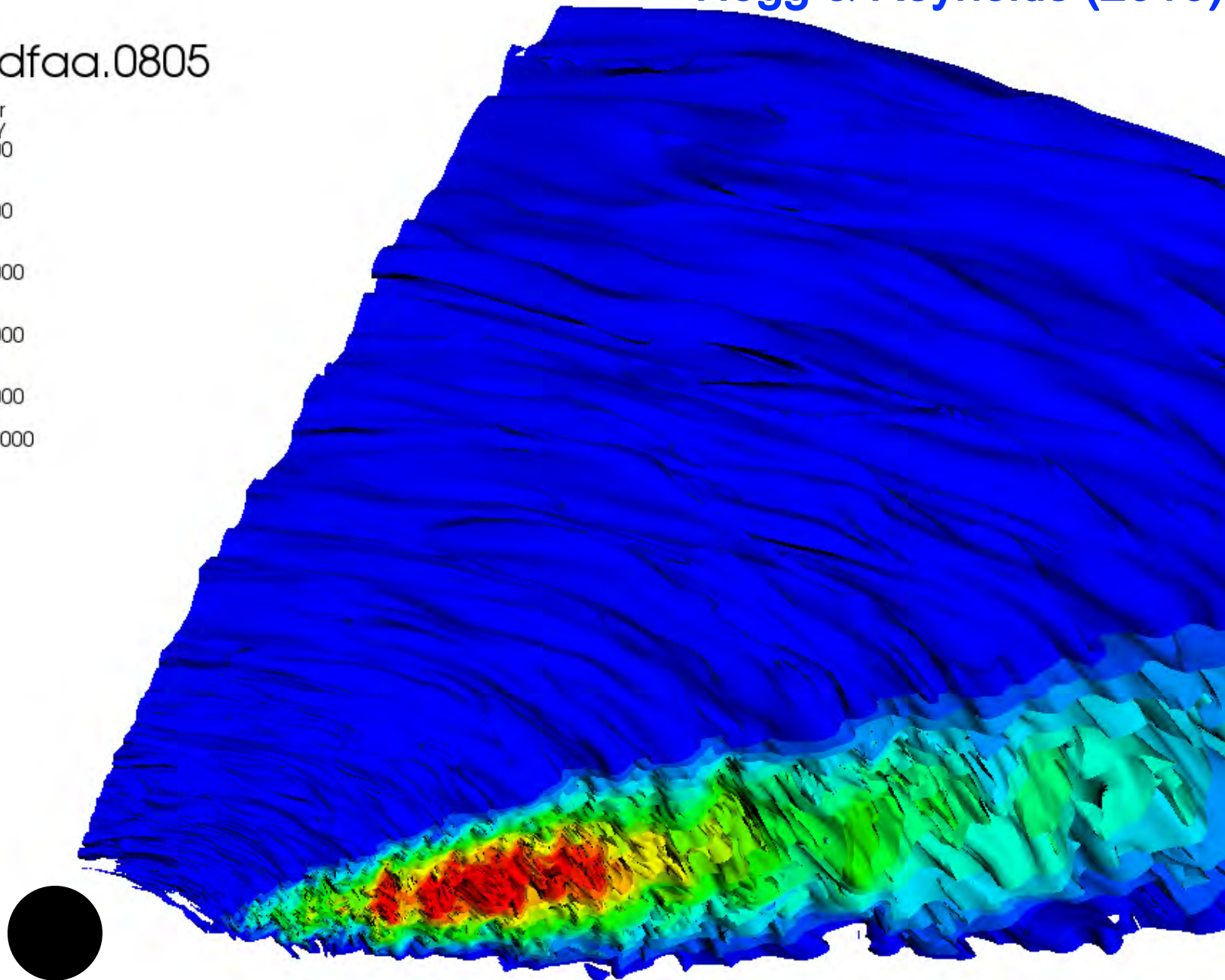
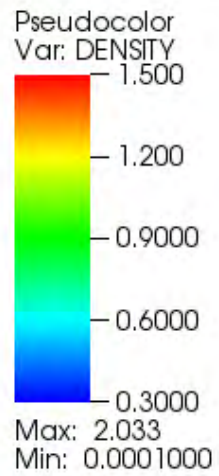
Inertial range

Dissipation scale



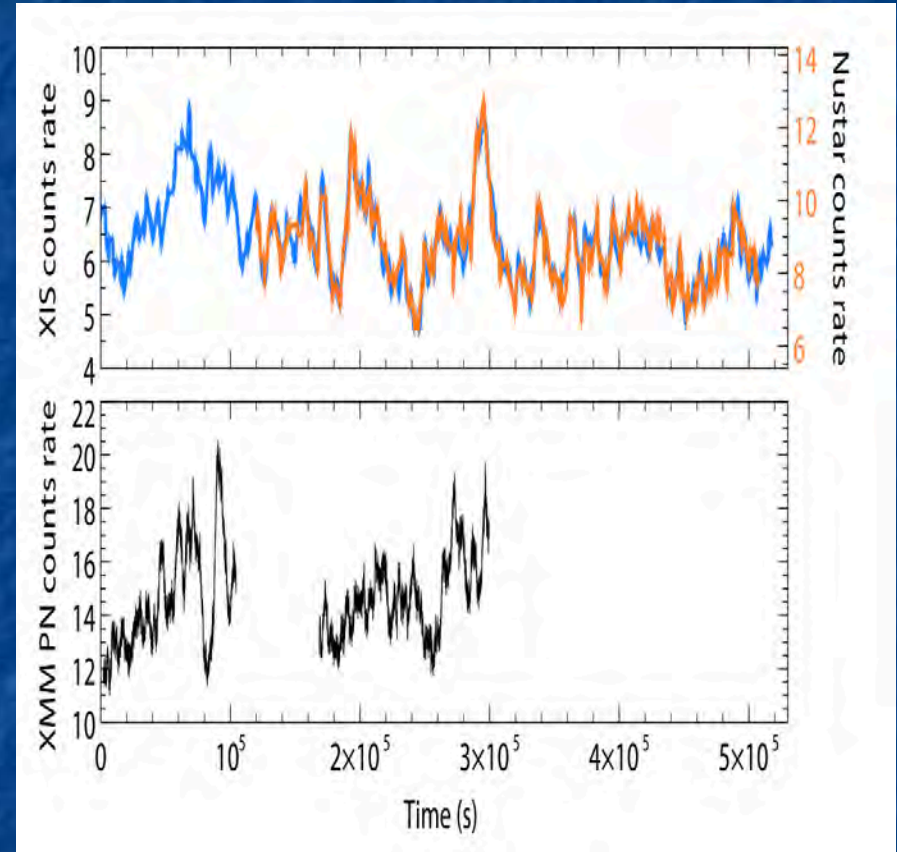
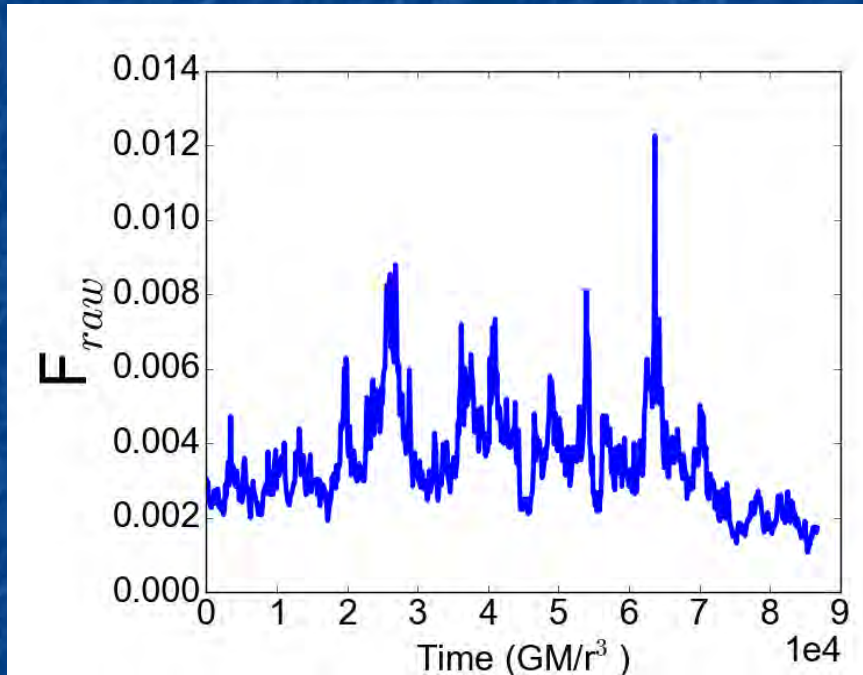
$\ln k$

DB: hdfaa.0805

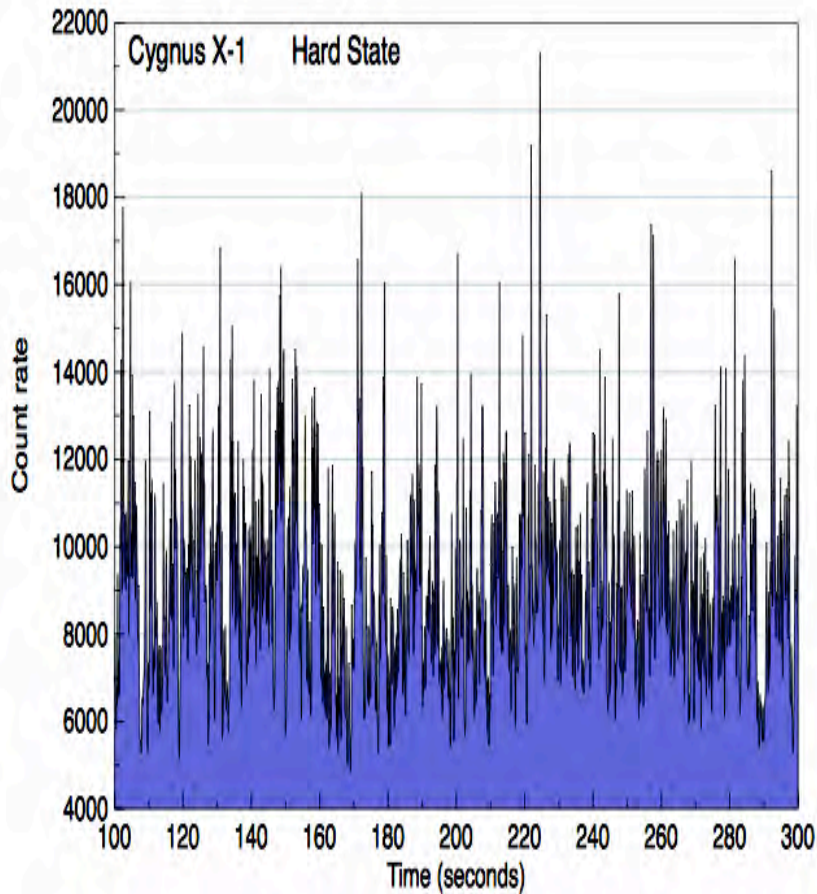


X-ray data of accreting super-massive black hole in MCG-5-23-16 (Zoghbi et al. 2014)

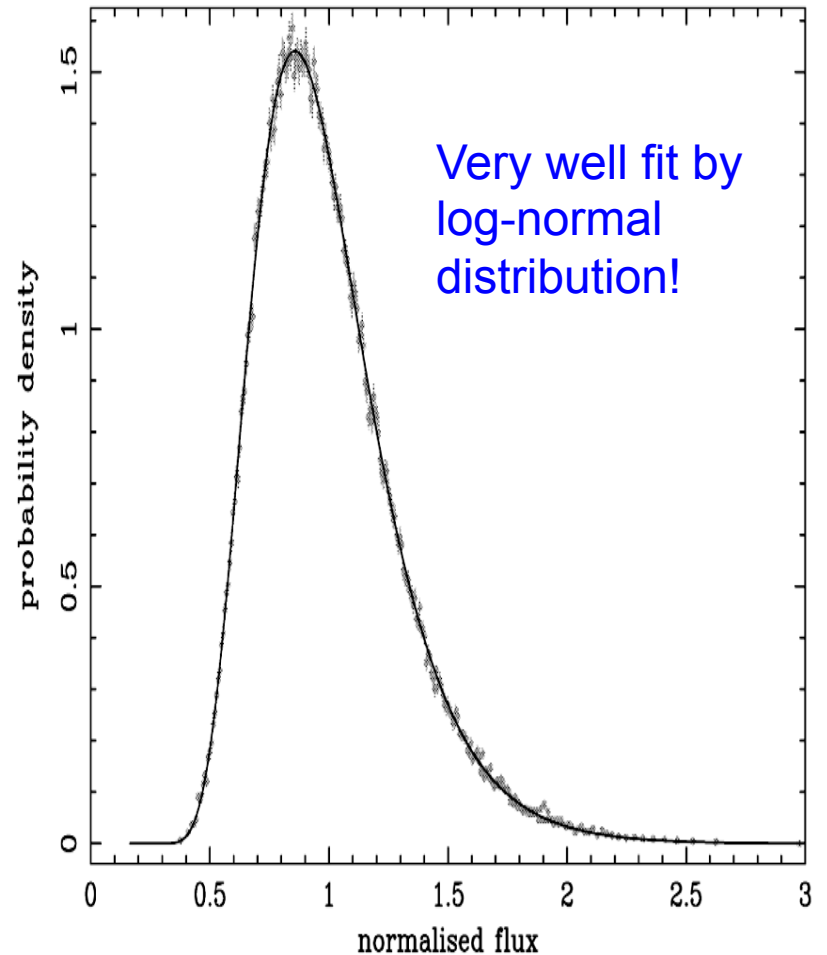
Simulated accretion disk (Hogg and Reynolds 2016)



Cygnus X-1 (RXTE)

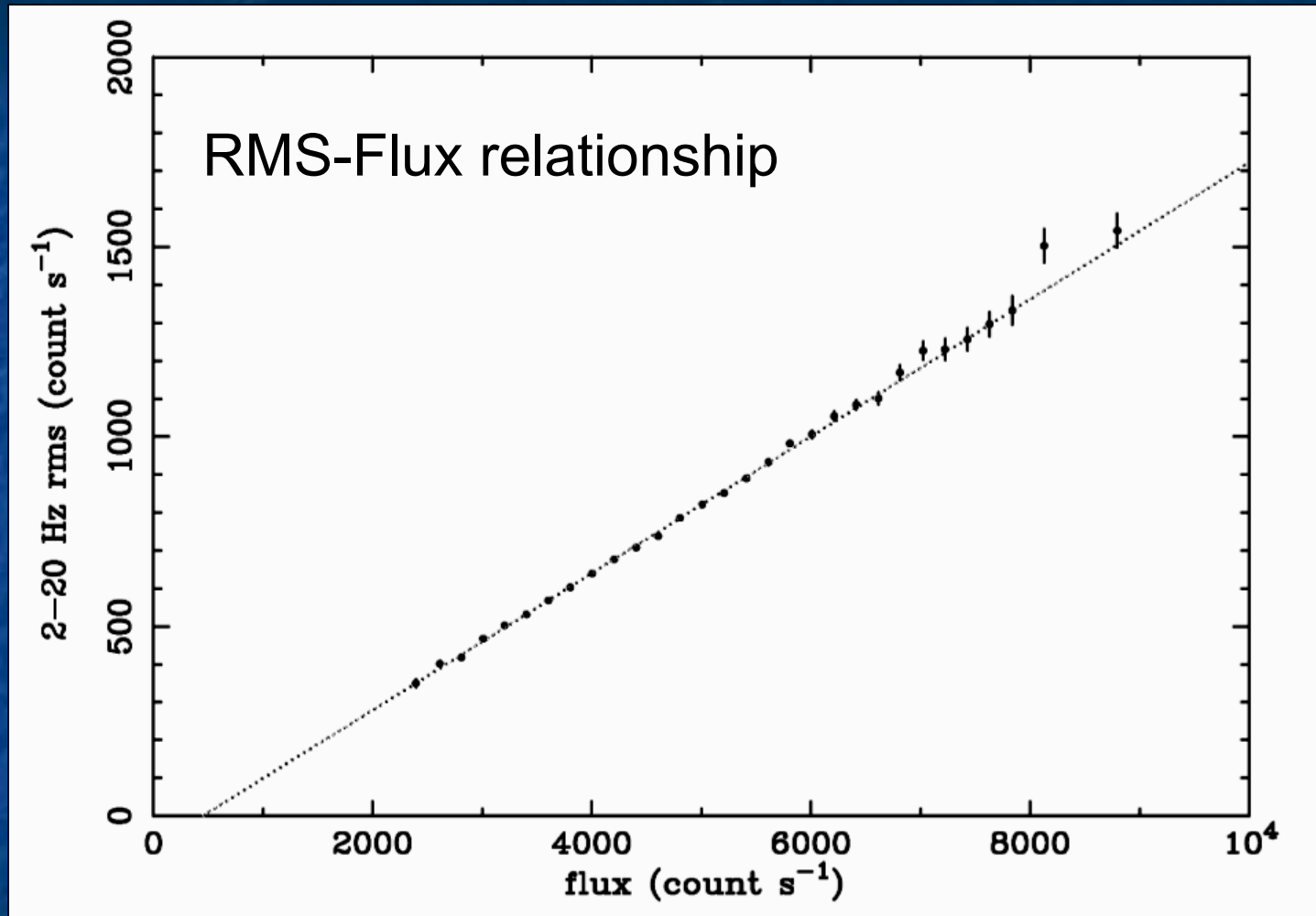


Belloni et al. (2010)



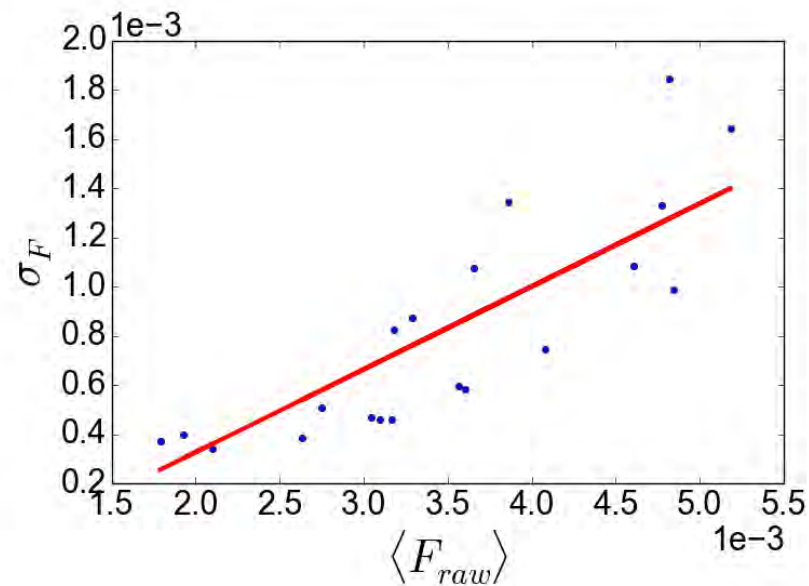
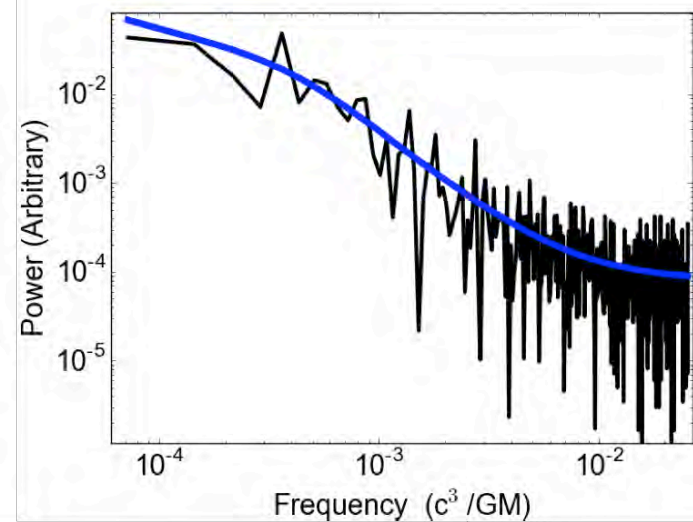
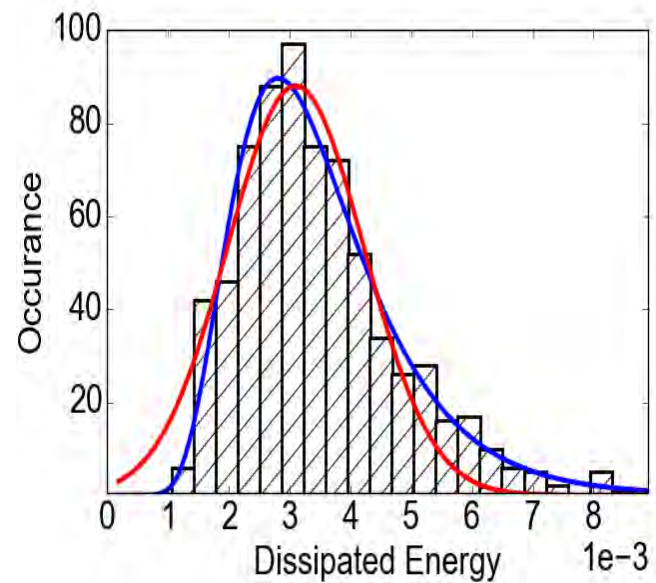
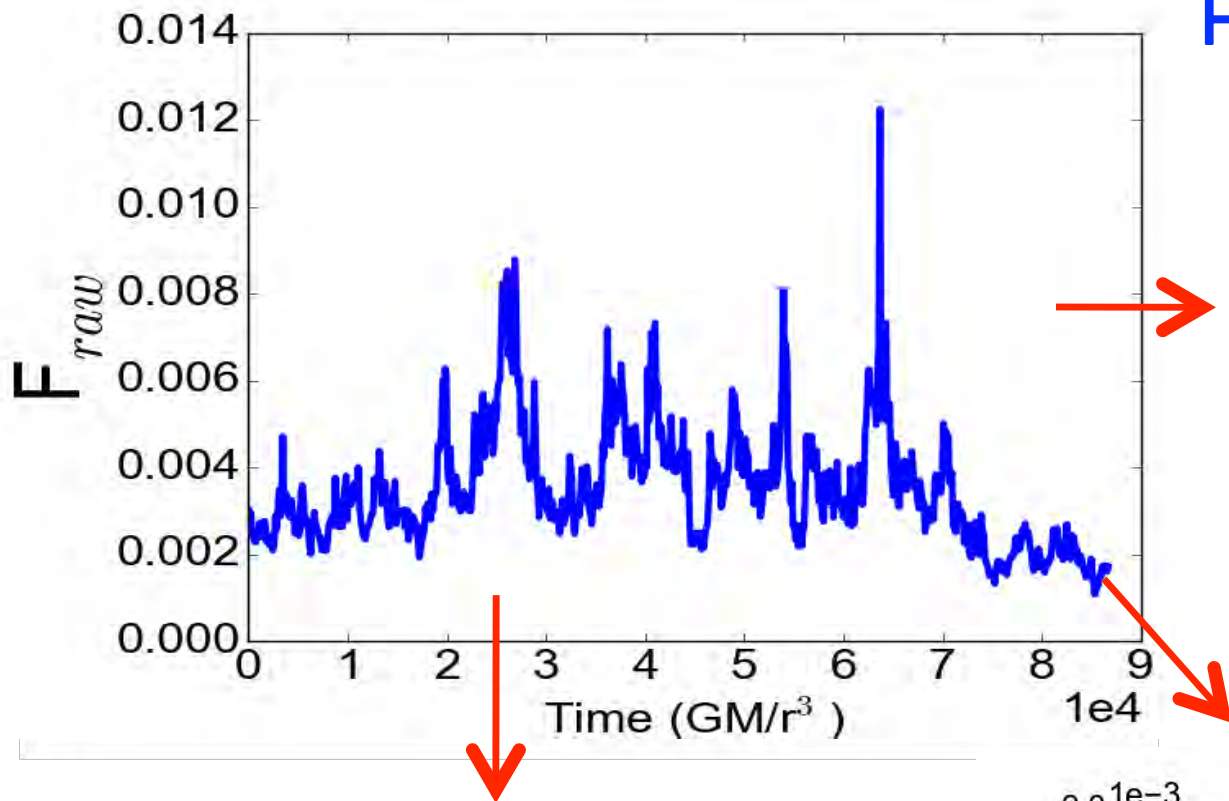
Uttley, McHardy & Vaughan (2005)

Cygnus X-1 (RXTE)

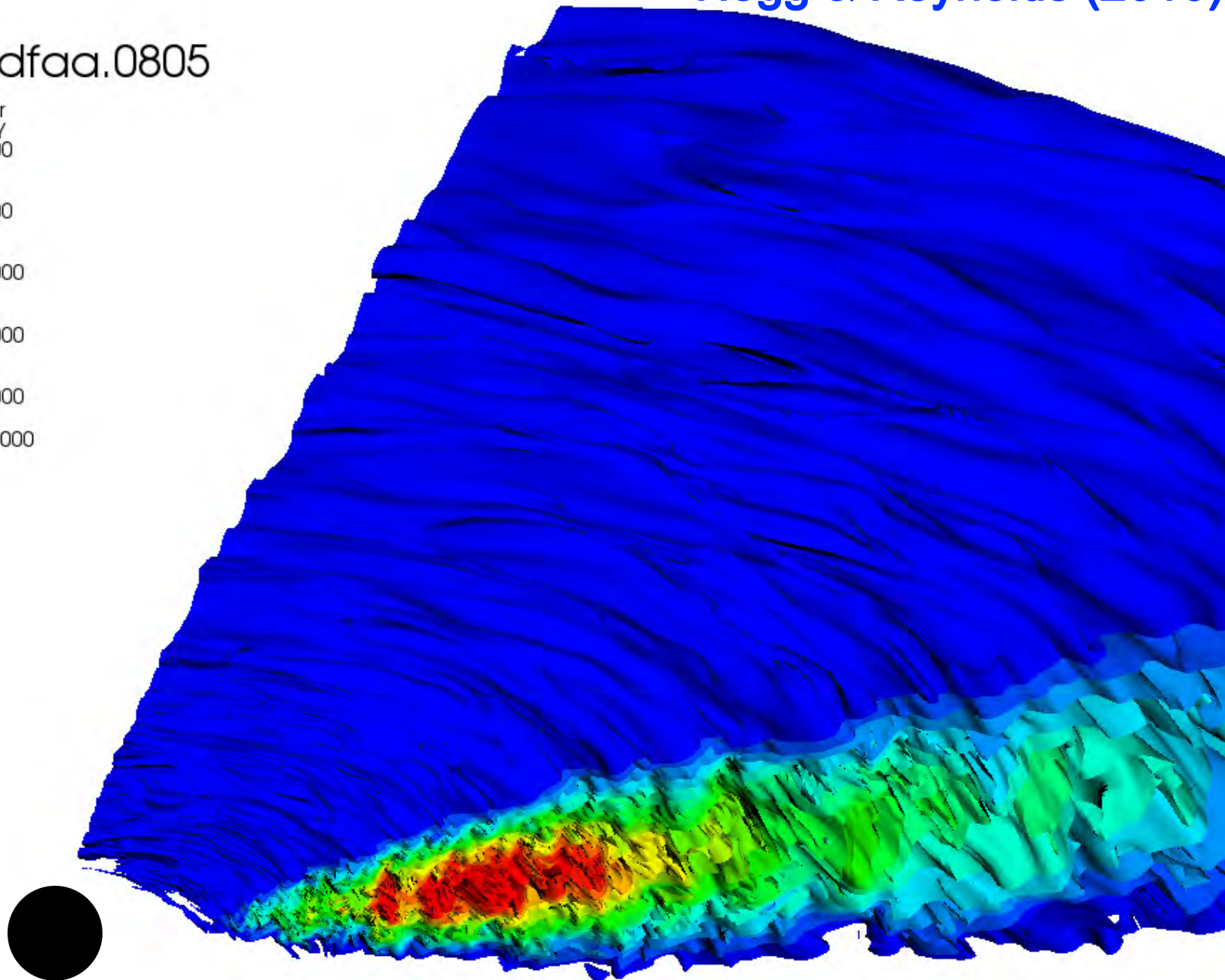
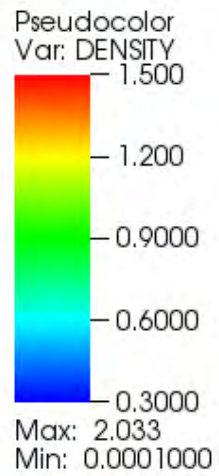


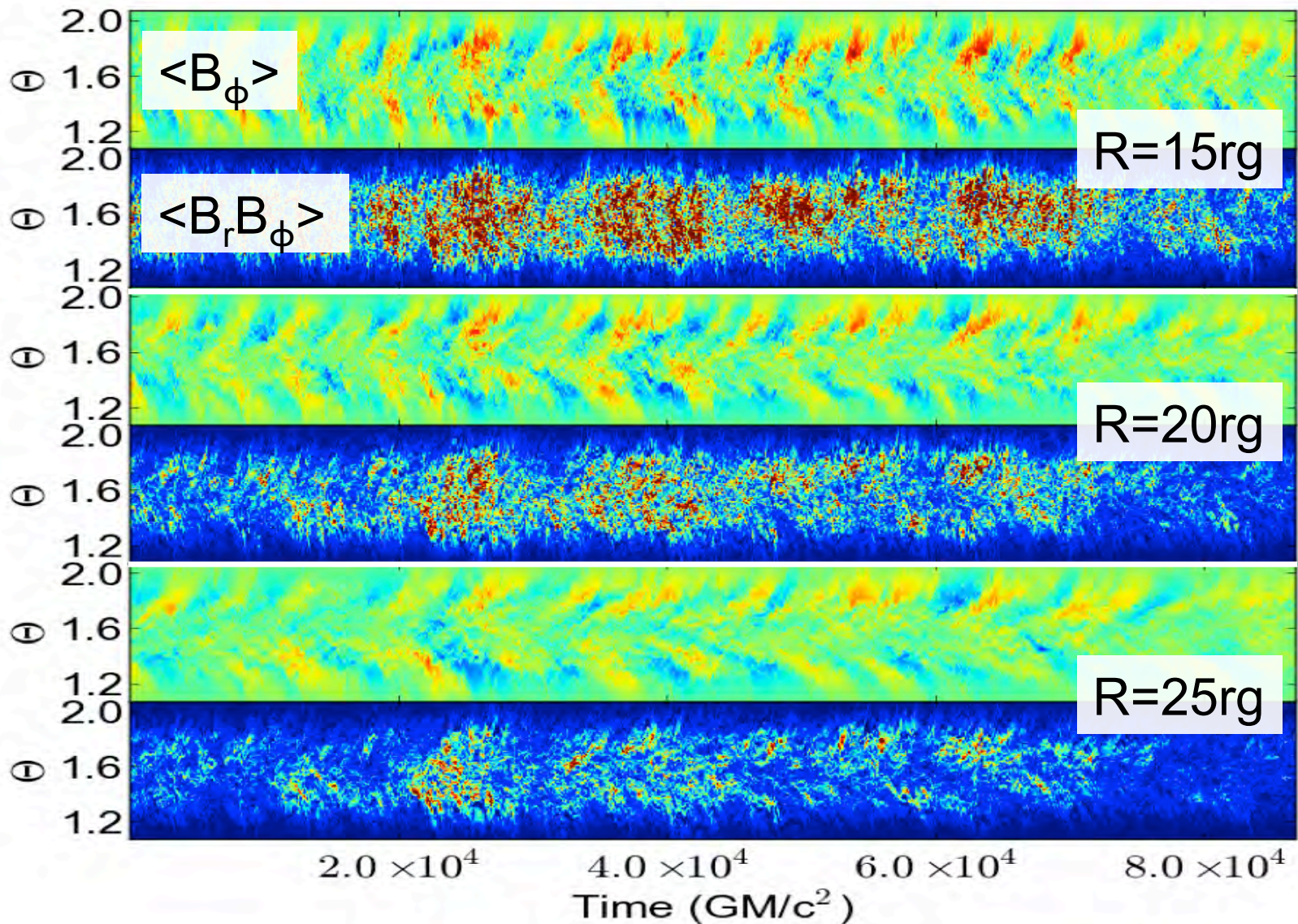
Uttley, McHardy & Vaughan (2005)

Hogg & Reynolds (2016)

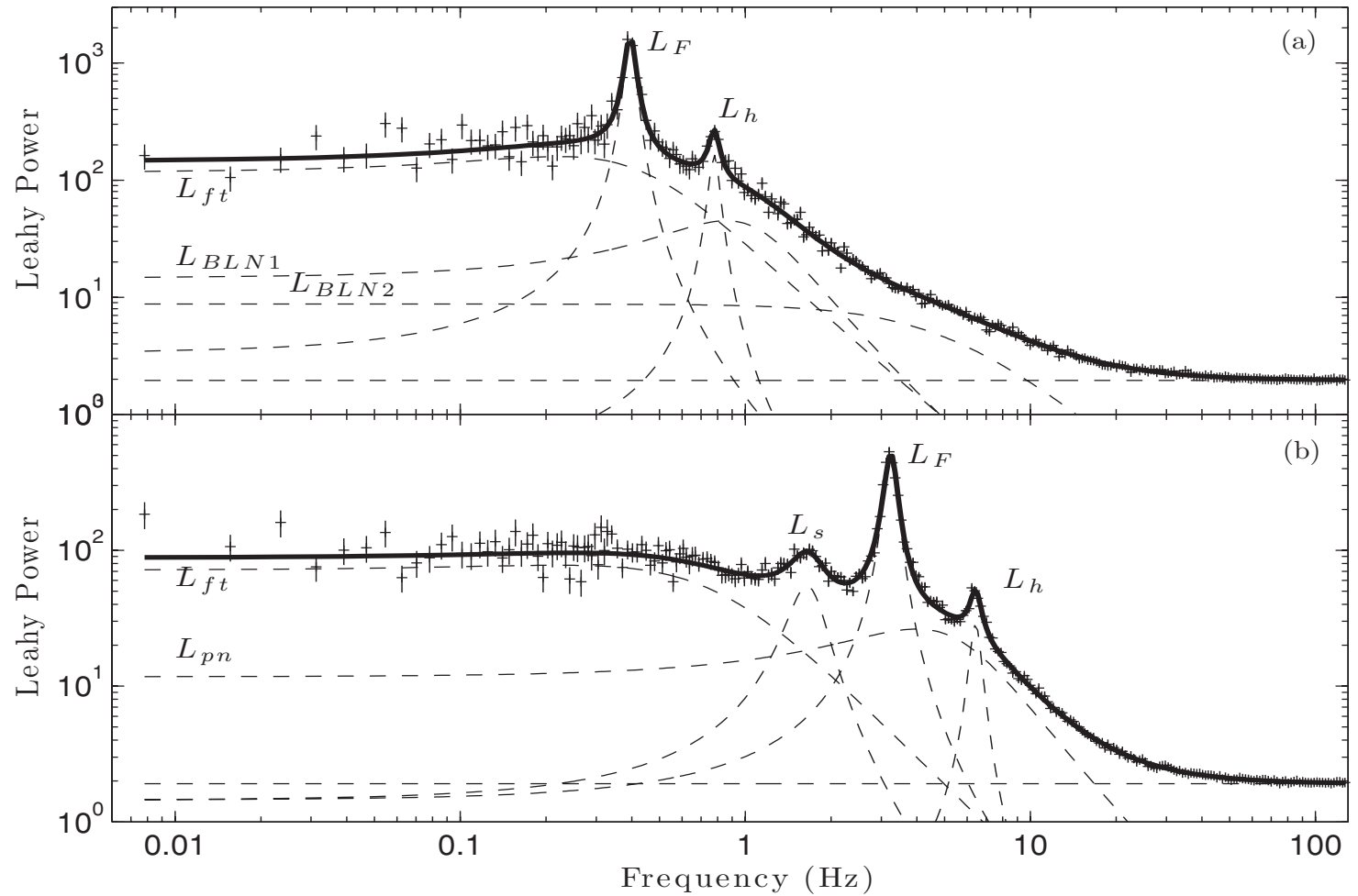


DB: hdfaa.0805





Stellar-mass black hole XTEJ1550-564; Rao et al. (2010)



Conclusions

- Need to overcome angular momentum in order for accretion to occur
 - Same problem exists in planet/star formation
- MHD turbulence paradigm seems firm
 - Large-scale computer simulations have been crucial tool for understanding implications of MRI
- Work underway to understand complex phenomenology of black holes
 - Basic properties of the turbulence
 - Role of other physics (radiation, plasma processes, relativity...)