

Polymer Brushes

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« Simple Views on Polymers at Surfaces and Interfaces:
Symposium Honoring P.- G. de Gennes »

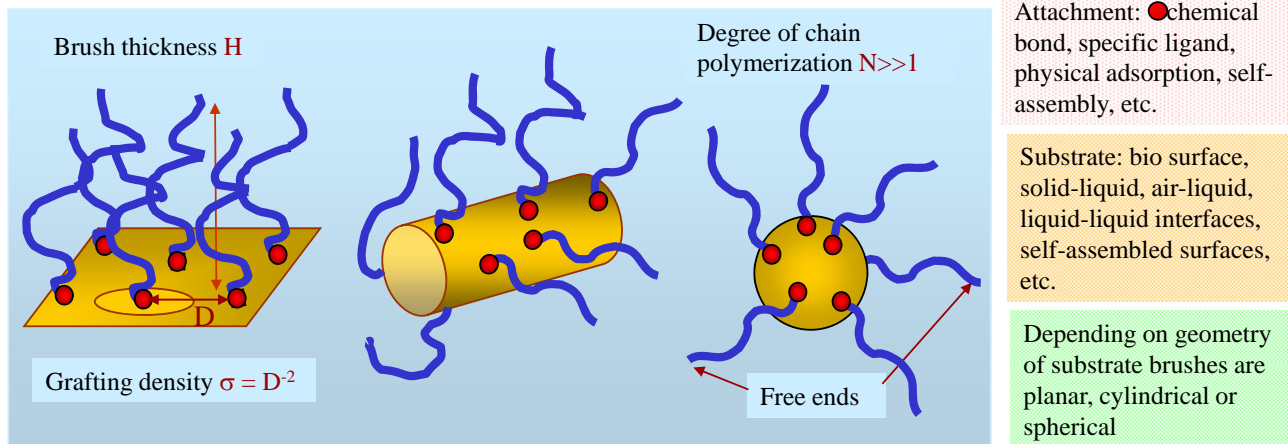
APS meeting, March 13, 2008, New Orleans USA

Outline

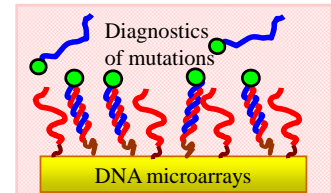
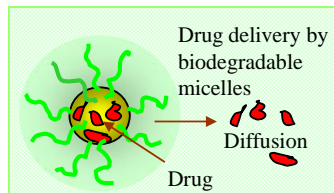
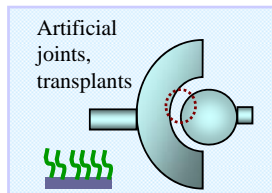
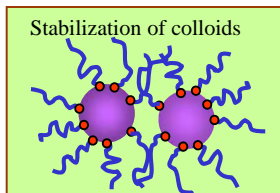
- What is a polymer brush ?
- Alexander – de Gennes polymer brush model
- Impact of Alexander- de Gennes model and its extensions
- Polymer brush in biology

What is a polymer brush ?

Brush: array of polymer molecules (synthetic, biopolymer,..) end-attached to substrate

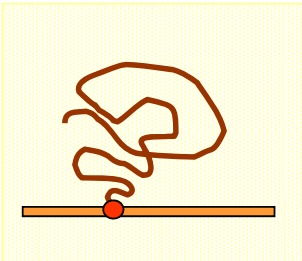


Examples of brush applications

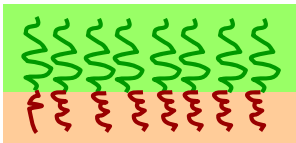


Prior to Alexander - de Gennes brush model

Before A-G brush model:
single tethered polymer was
treated mostly as the
Gaussian (fantom) chain



Brush-like structures in
microsegregated block
copolymers

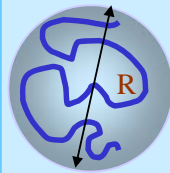


Block copolymers

Scaling theory of semidilute polymer solution

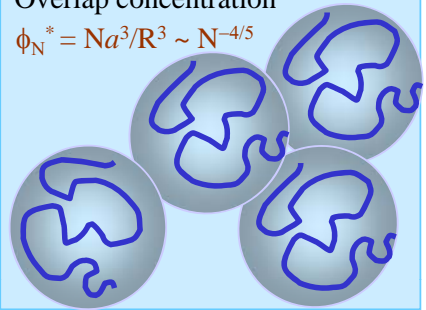
Average end-to-end distance

$$R = aN^{3/5}$$



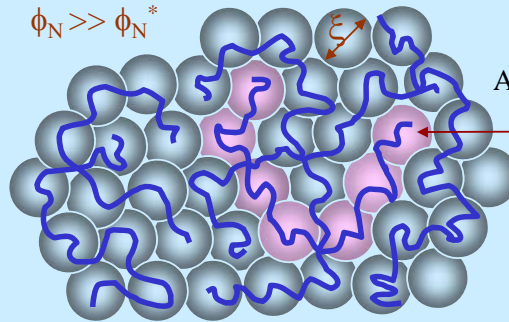
Overlap concentration

$$\phi_N^* = Na^3/R^3 \sim N^{-4/5}$$



Semidilute solution (melt of blobs)

$$\phi_N \gg \phi_N^*$$



$$\text{Blob size } \xi/a \sim \phi_N^{-3/4}$$

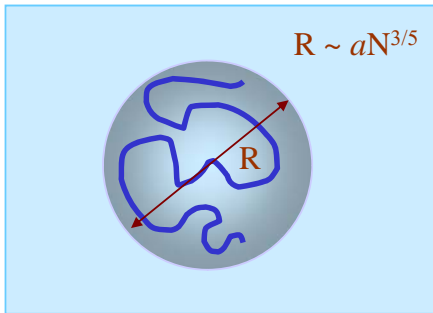
Average end-to-end distance

$$R^2 \sim \xi^2 N_B$$

Interaction free energy

$$F_{\text{int}} \sim k_B T N_B$$

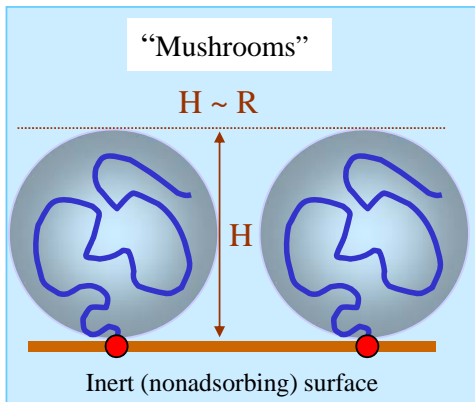
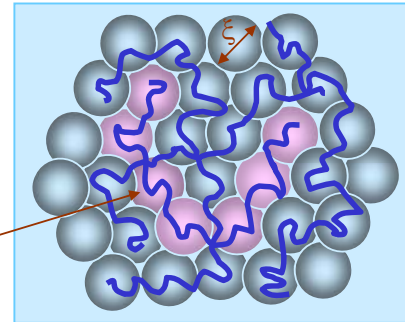
Chain end-tethering to a substrate



$$F_{\text{int}}/k_B T \sim N_B$$

$$F_{\text{elastic}}/k_B T \sim 1$$

(Gaussian chain of blobs)

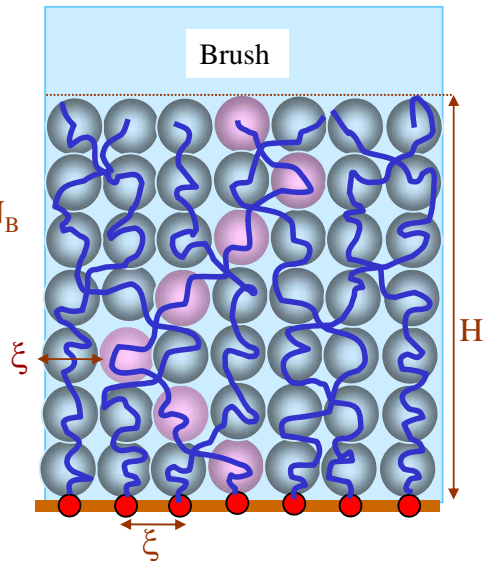


$$F_{\text{int}}/k_B T \sim N_B$$

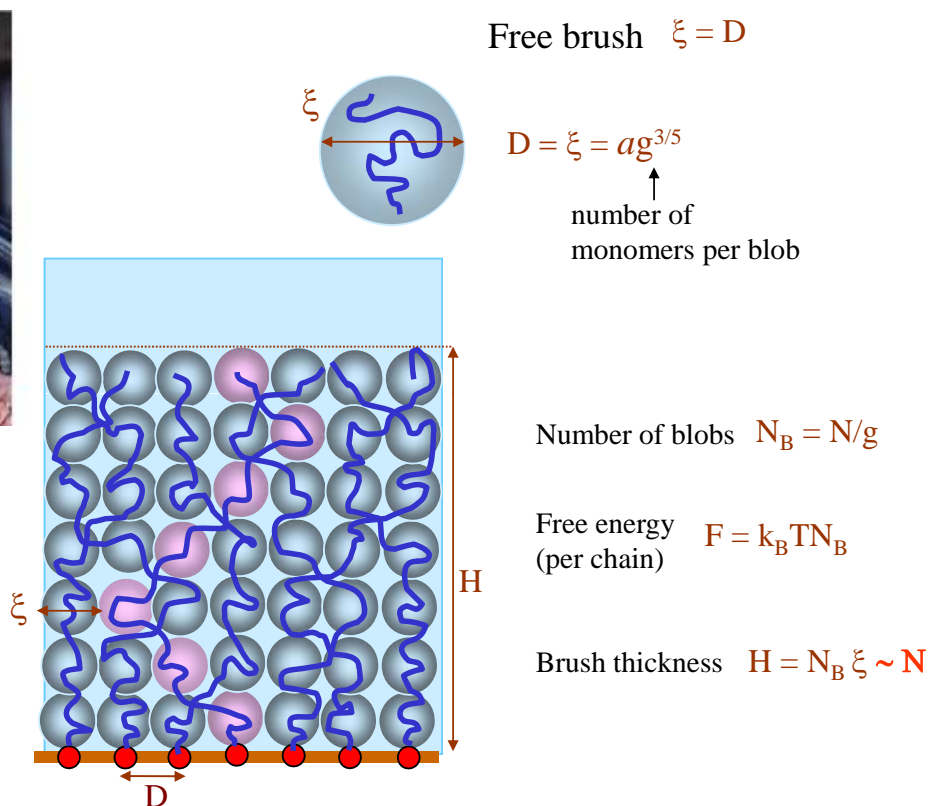
$$F_{\text{elastic}}/k_B T \sim N_B$$

$$H \sim \xi N_B$$

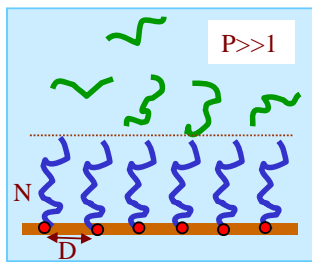
(Stretched string of blobs or directed random walk)



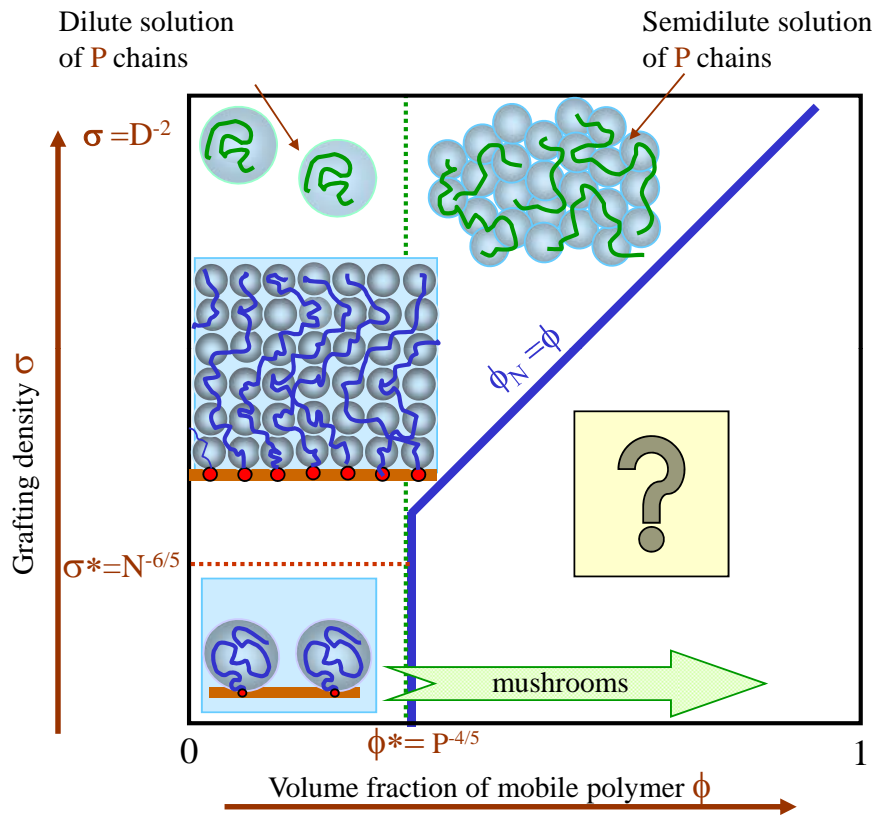
Brush in solvent (S. Alexander 1977)



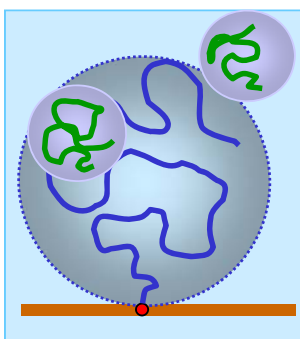
Brush in contact with polymer solution (P.- G. de Gennes 1980)



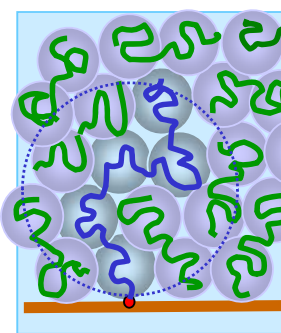
To the left of blue line:
brush dominated regimes,
“mushroom” and
Alexander brush. Here,
 $\xi_P > \xi_N$, P and N chains
are demixed



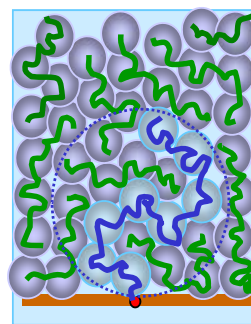
Mushroom in contact with solution of mobile P chains



$$\phi \ll \phi^*$$



$$\phi^* < \phi \ll \phi^{**}$$

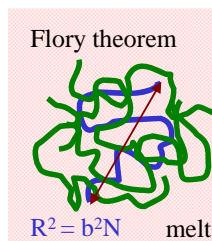


$$\phi^{**} < \phi \ll 1$$

Melt of chains of blobs:

$$N_{BN} = N\phi^{5/4}$$

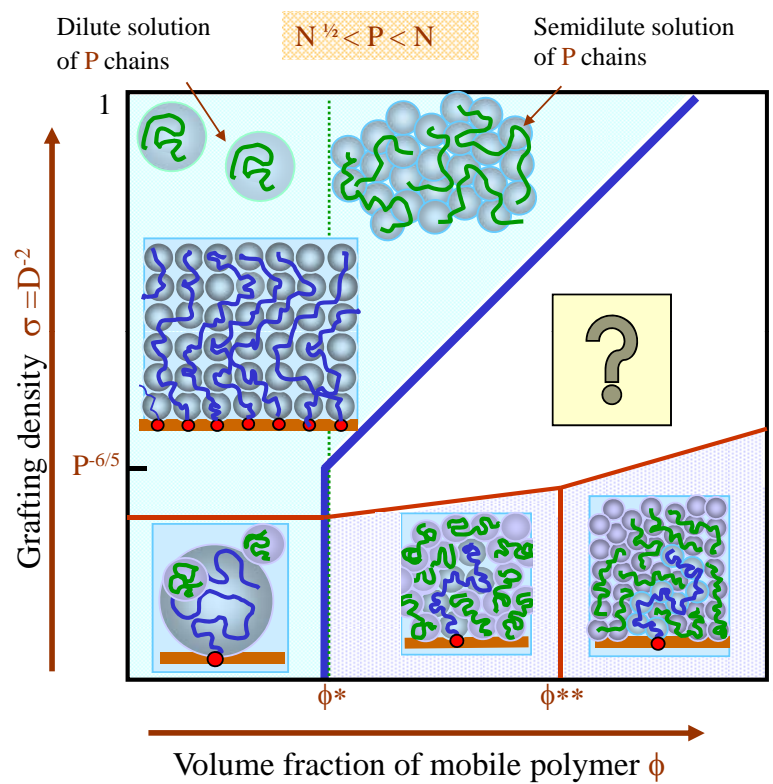
$$N_{BP} = P\phi^{5/4}$$



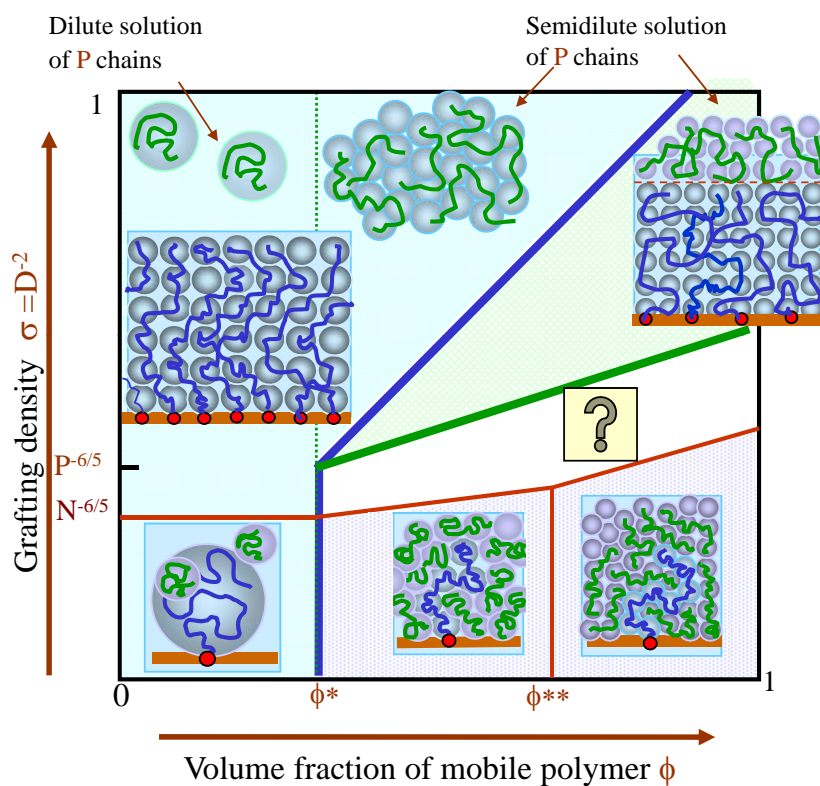
N- chain is swollen
when $N_{BP} < N_{BN}^{1/2}$

N- chain is Gaussian chain of
blobs when $N_{BP} > N_{BN}^{1/2}$

Solution dominated regimes of the brush



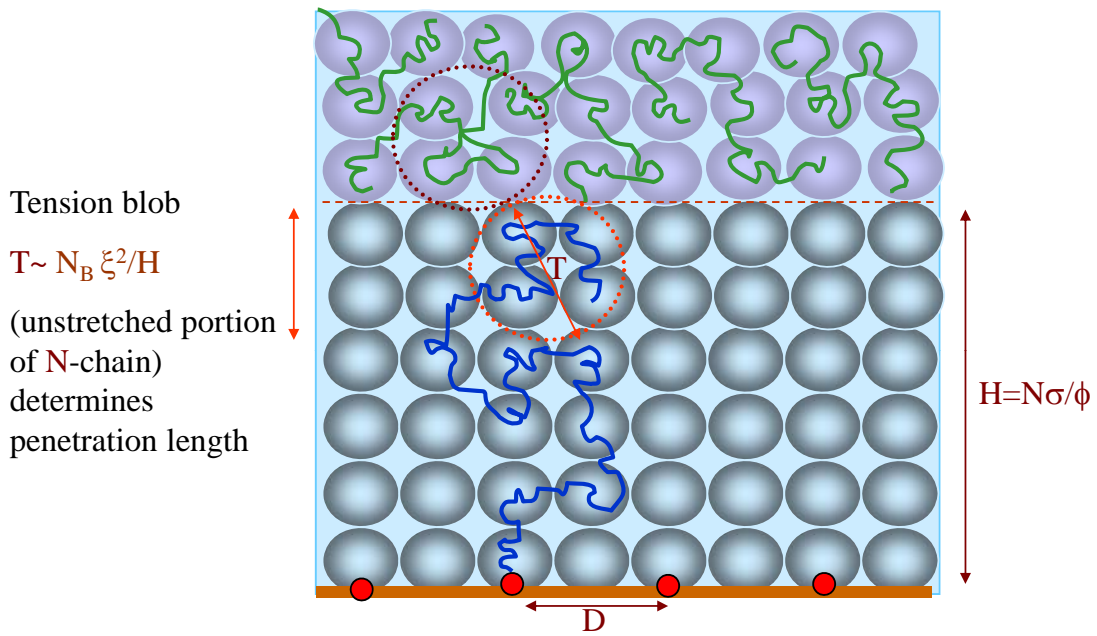
Compression of brush by solution of mobile P chains



Between blue and green lines $\xi_P = \xi_N$, but P and N chains are demixed because grafted chains are stretched. Brush is compressed by solution of P chains

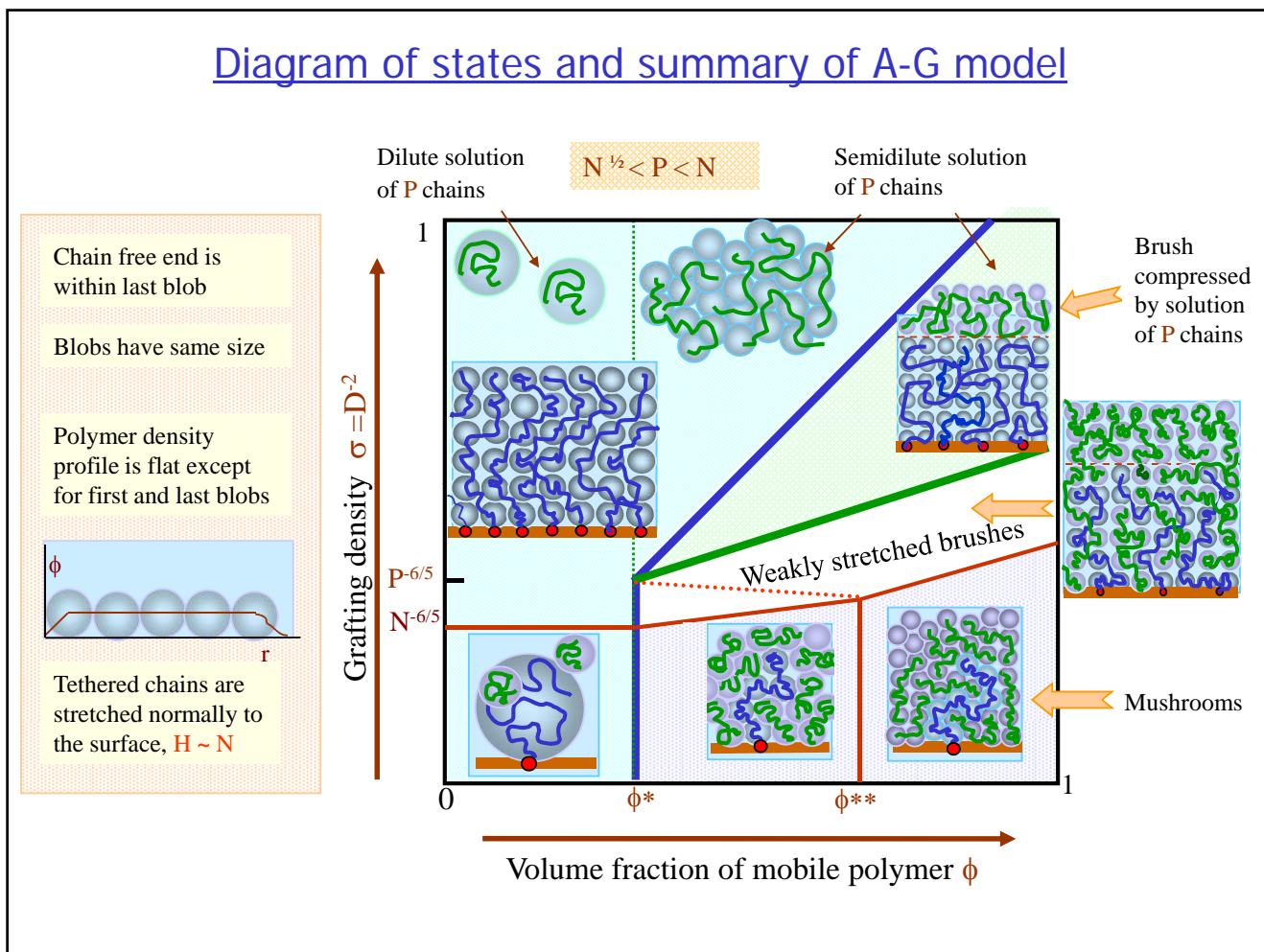
Below green line P chains penetrate the brush

Interpenetration of mobile P- chains in brush of N-chains

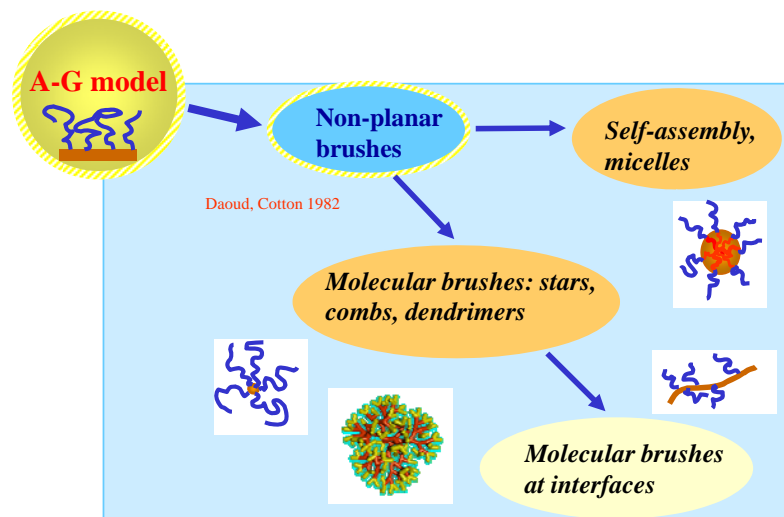


When tension blob T becomes equal to the size of P-chain in solution, mobile chains penetrate throughout the brush of N-chains. Brush remains (weakly) stretched.

Diagram of states and summary of A-G model



Impact of Alexander – de Gennes model



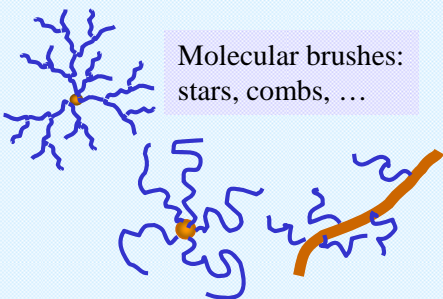
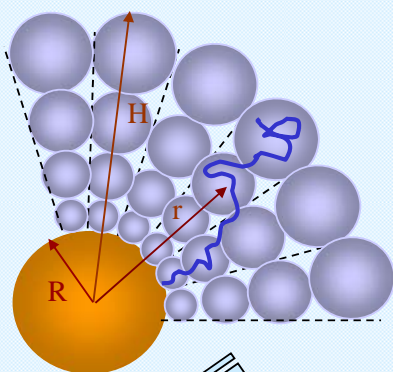
Curved brushes

Daoud & Cotton 1982

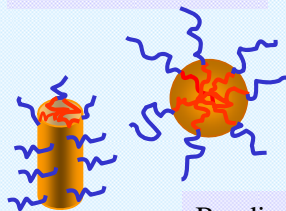
Blob size ξ increases with distance r
(dense packing of blobs): $\xi(r) = D(r/R)^{1/2}$

$$H \sim N^\beta$$

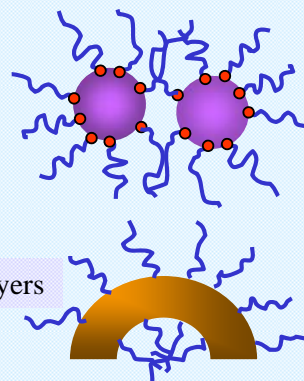
$$\beta < 1$$



Scaling models of
self-assembly
(micelles)

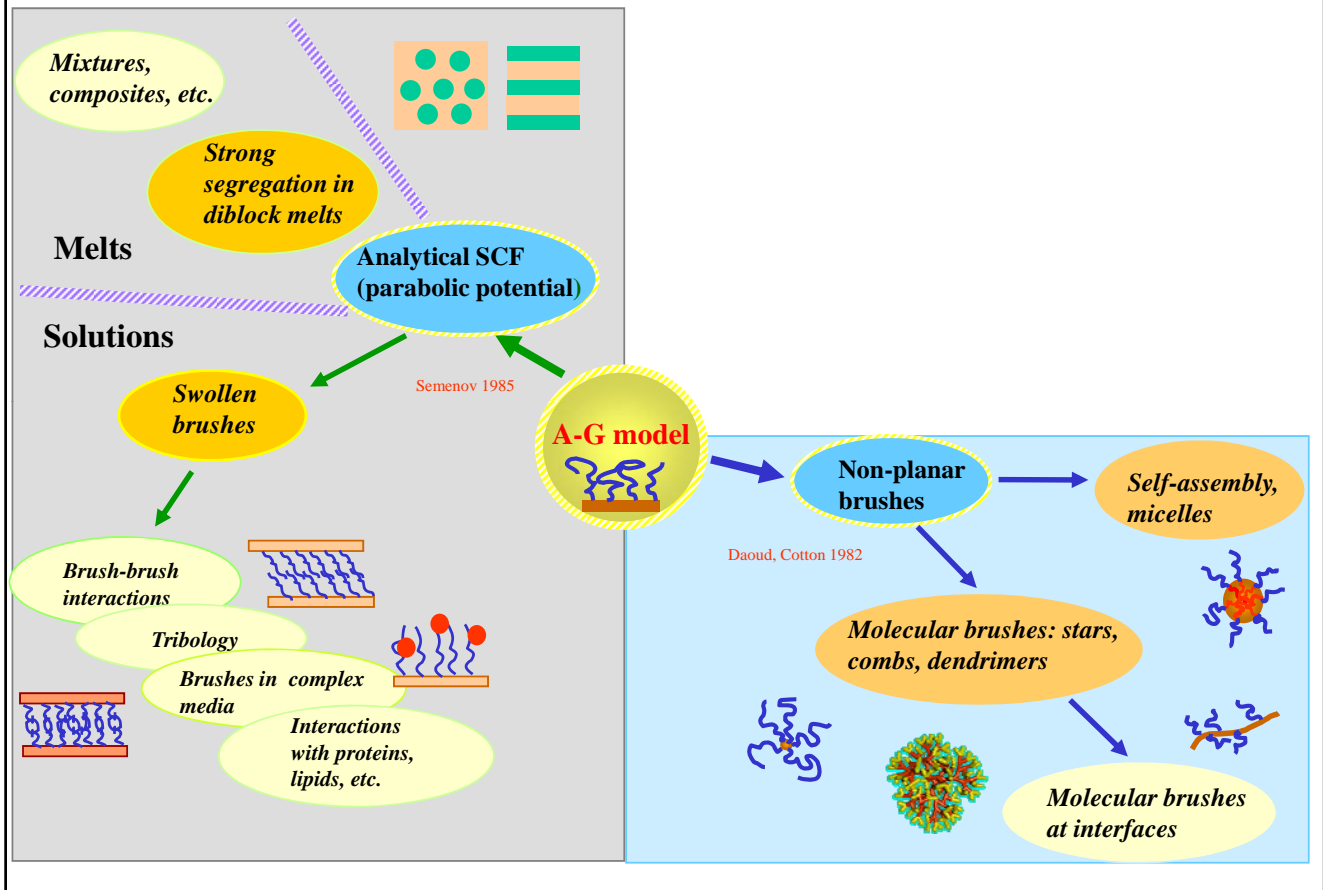


Stabilization of
colloids



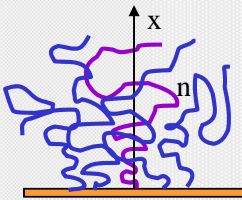
Bending bilayers

Impact of Alexander – de Gennes model



Analytical SCF model (parabolic potential)

Polymer trajectory: $x(n)$



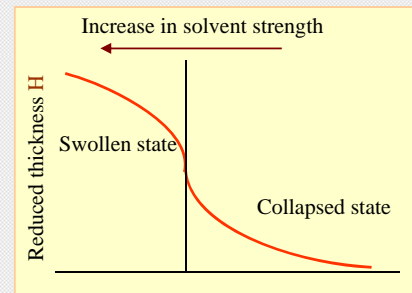
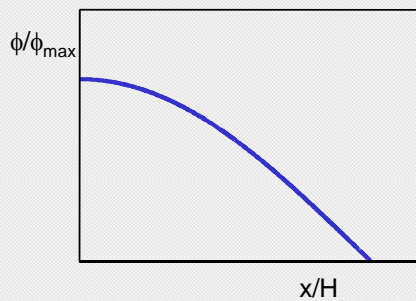
Semenov 1985

Dry brushes (no solvent): chains are stretched unequally and nonuniformly. Free ends are distributed throughout the brush

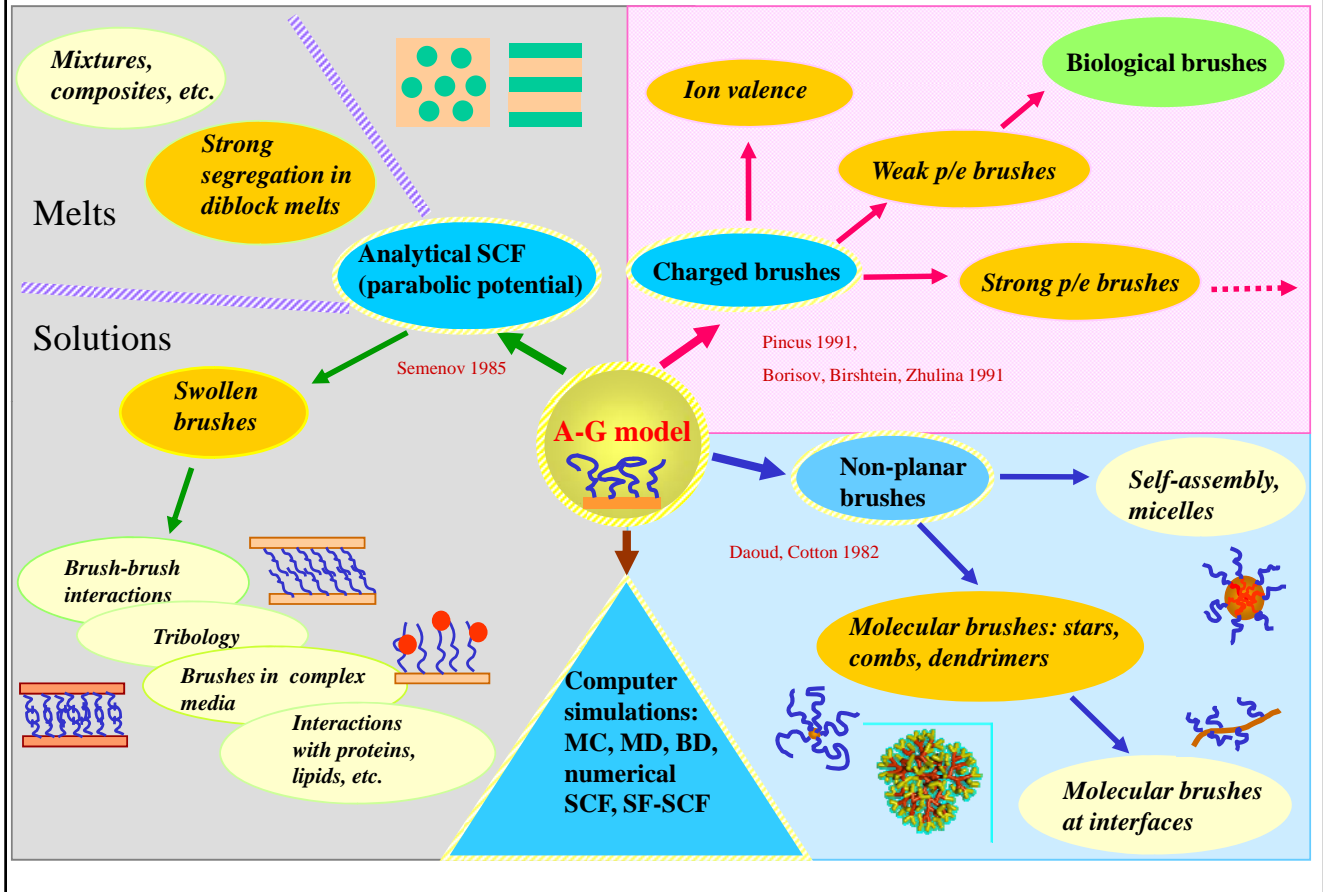
Swollen brushes

Milner, Witten, Cates 1988
Zhulina, Pryamitsyn, Borisov 1989

Polymer density profile is not flat. Shape depends on solvent quality. However, all scaling dependences for average brush characteristics hold. Collapse is gradual.

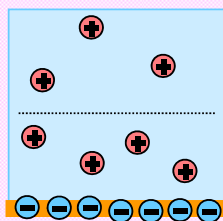


Impact of Alexander – de Gennes model



Polyelectrolyte brushes (scaling model)

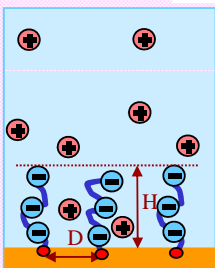
Pincus 1991



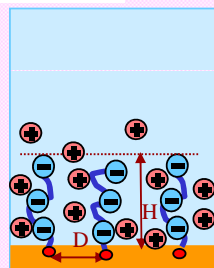
Gouy-Chapman length $\Lambda \sim 1/\sigma$

Surface charge σ

$$\sigma = Q/D^2 = \alpha N/D^2$$



$\Lambda > H$, charged (Pincus) brush



$\Lambda < H$, osmotic brush

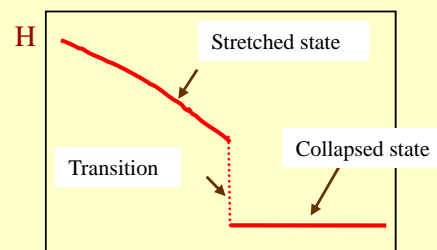
Addition of salt provides another length scale

r_D - Debye radius (salted brush)

Borisov, Birshtein, Zhulina 1991

In contrast to neutral brush, collapse induced by binary monomer-monomer attraction is **jump-like**

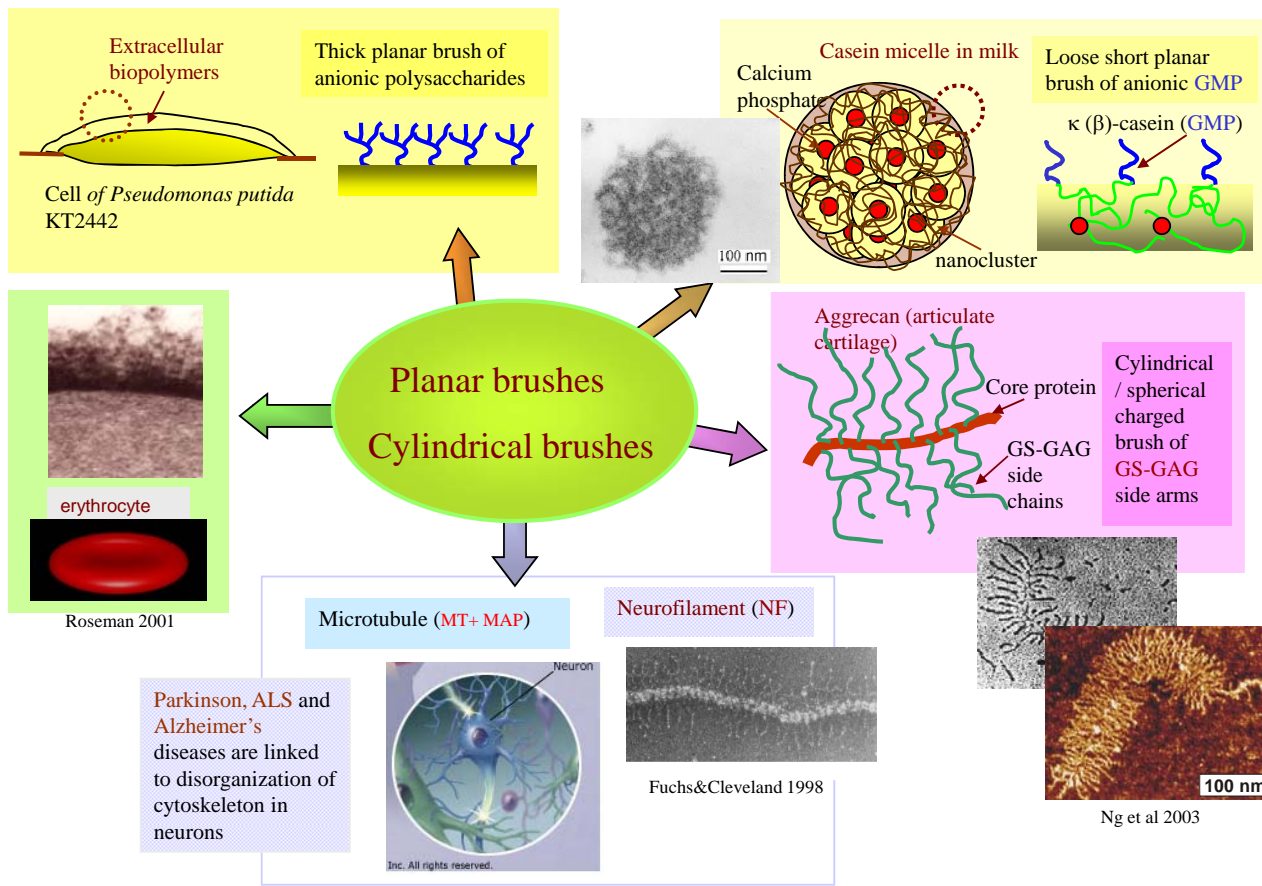
Scaling model of p/e brush collapse



Increase in degree of ionization α

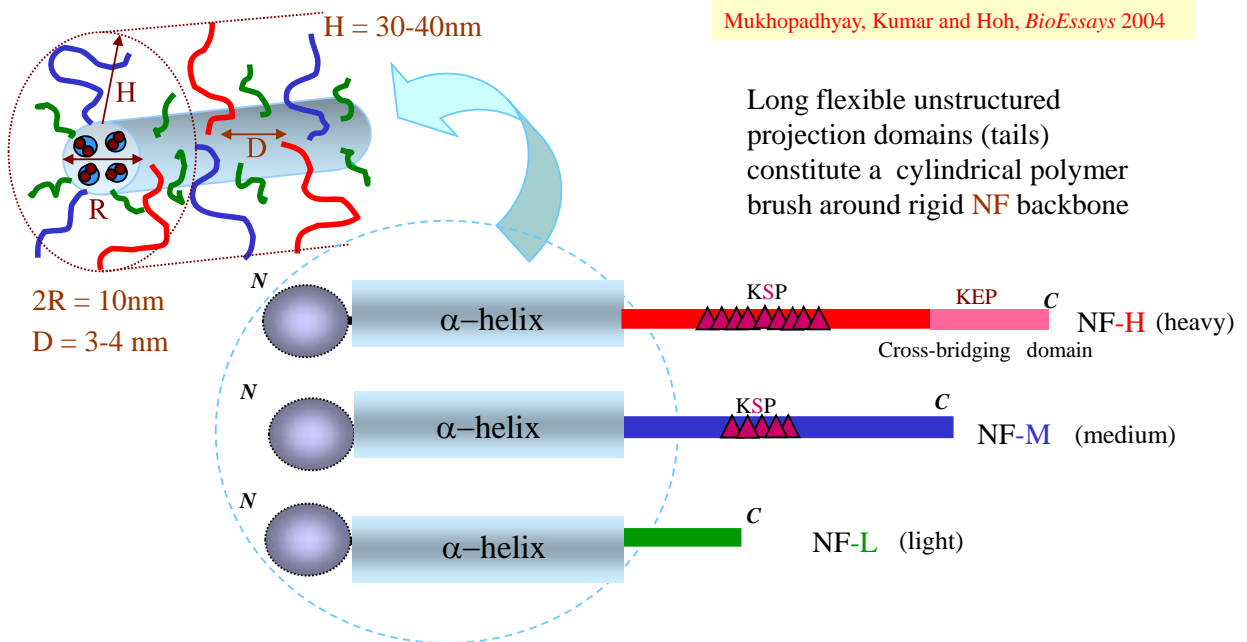
Polyelectrolyte brush is more diverse than a neutral brush (electrostatic + nonelectrostatic interactions), stimuli-responsive (ionic strength, pH, ion valence)

Brush-like structures in biological systems



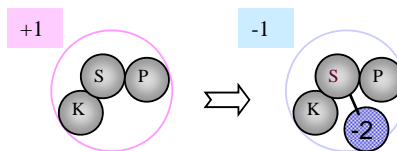
Triplet neurofilament proteins (constituents of NF)

Mukhopadhyay, Kumar and Hoh, *BioEssays* 2004



Long flexible unstructured projection domains (tails) constitute a cylindrical polymer brush around rigid NF backbone

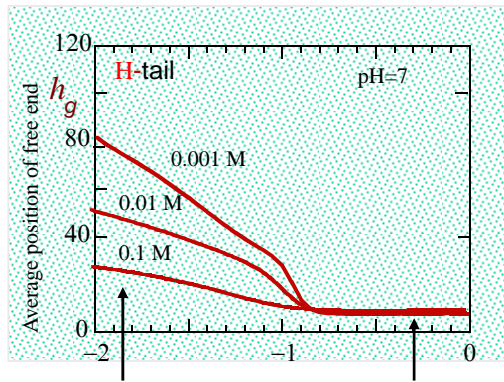
H- and M-tails contain serine S in KSP (\blacktriangle) repeats that can be phosphorylated (charged)



SF-SCF brush model: collapse-to-stretching transition in H-tails

Zhulina & Leermakers *BJ* 2007

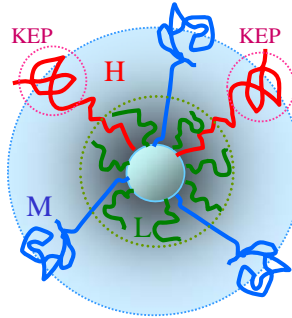
←
Phosphorylation (charging H-tails)



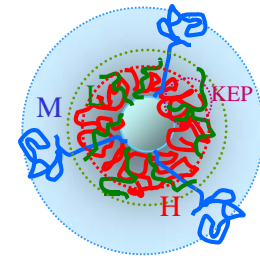
Stretched state
(KEP domain is outside)

H-tails are collapsed until ~ 50 % KSP repeats are phosphorylated

Phosphorylated NF



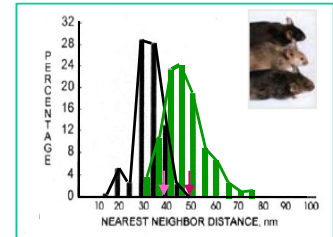
Dephosphorylated NF



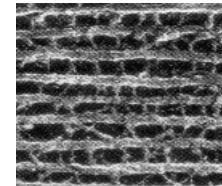
SF-SCF brush model predicts: phosphorylation induced translocation of H-tails leads to

(a) increase in brush thickness (NF-NF distances in axon)

(b) stabilization of NF network through cross-bridging between KEP domains



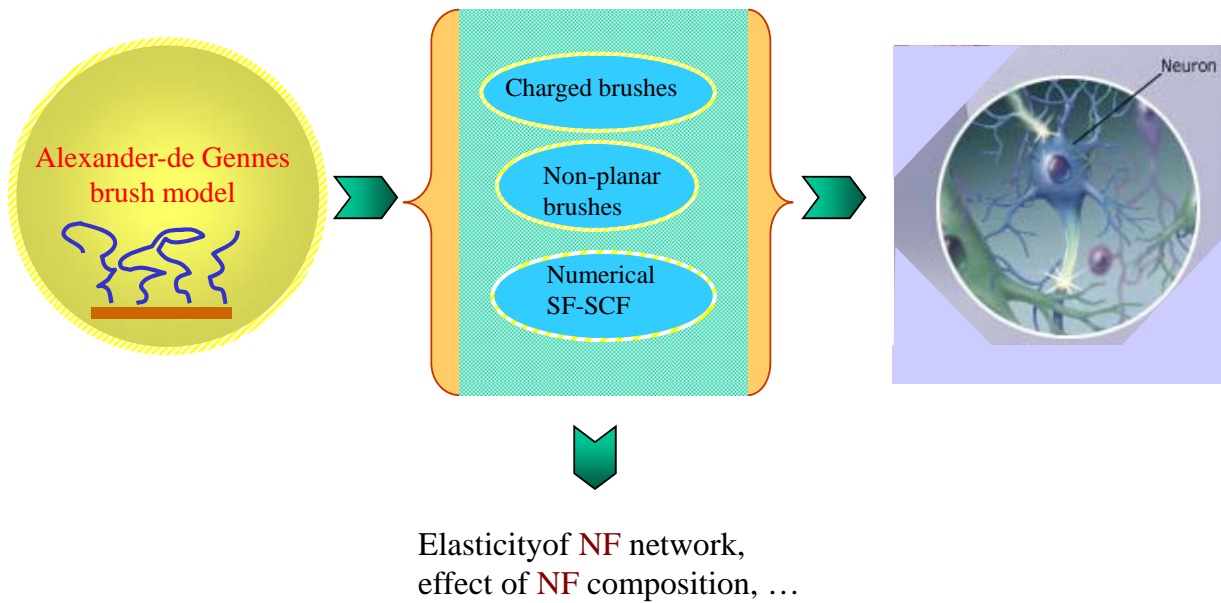
Hsieh et al 1994



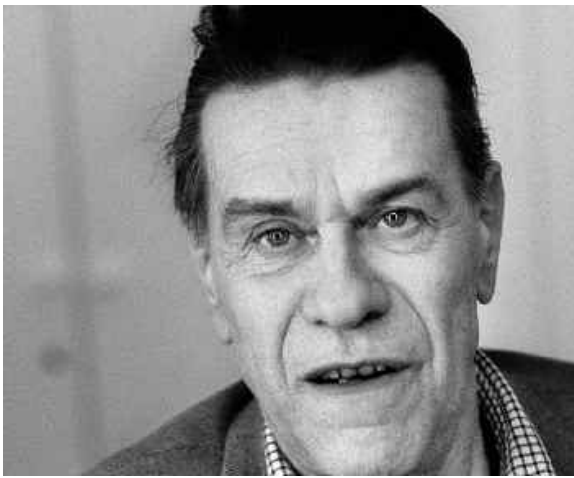
Hirokawa 1982

Conclusions

From brush scaling model to cytoskeleton in neurites



Remembering Pierre - Gilles de Gennes



The **1991 PHYSICS NOBEL PRIZE** goes to Pierre-Gilles de Gennes of the College de France in Paris "for discovering that methods developed for studying order phenomena in simple systems can be generalized to more complex forms of matter, in particular to liquid crystals and polymers."

